

Magnetospheric Boundaries in Spacecraft Data

Götz Paschmann

Max-Planck-Institut für extraterrestrische Physik, Garching

Sinaia, 8 June 2007

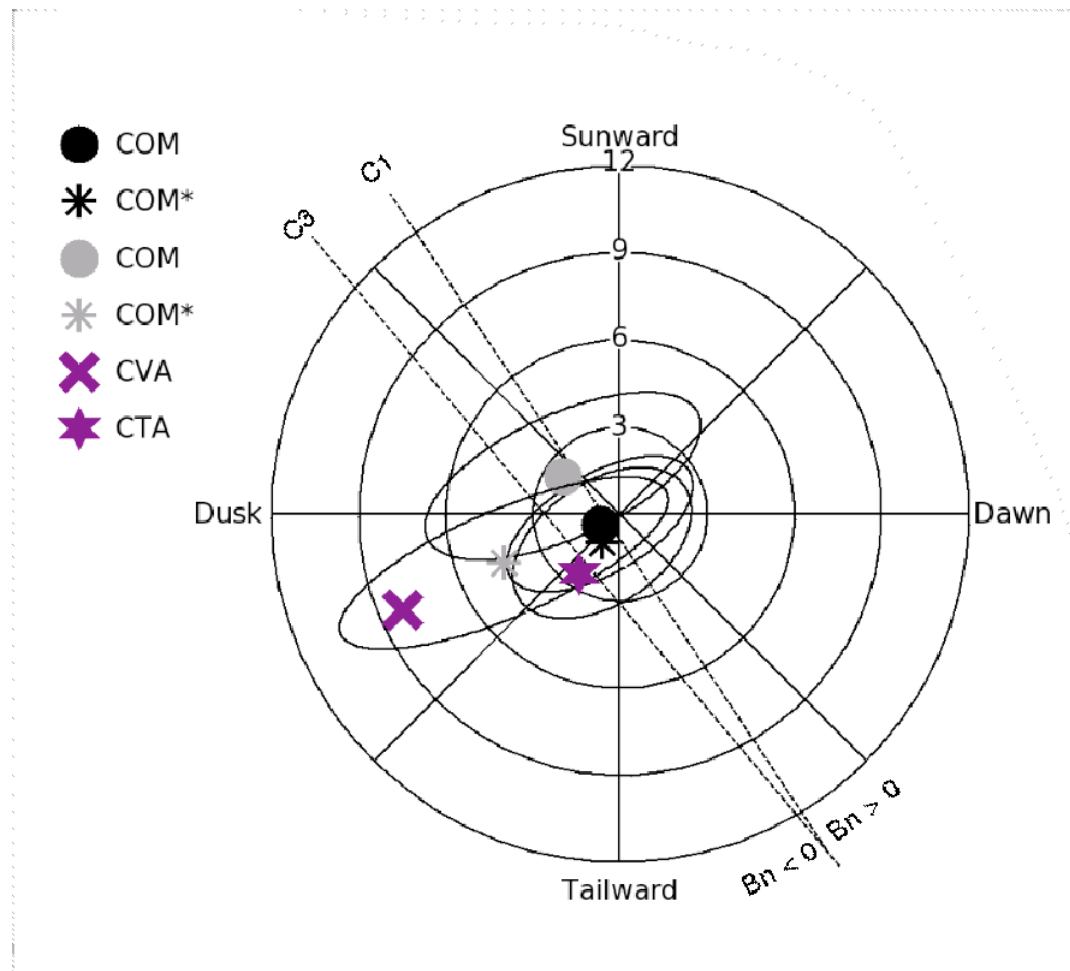
Magnetopause

- Orientation & Motion
- Thickness & Currents
- Intrinsic Electric Fields
- Grad-Shafranov Reconstruction
- Reconnection Effects
- Ion & Electron Scales

Timing Methods		Normal	Velocity	Acc.
CVA	(Constant Velocity Approach)	<i>YES</i>	<i>YES</i>	<i>NO</i>
CTA	(Constant Thickness Approach)	<i>YES</i>	<i>YES</i>	<i>YES</i>
MTV	(Minimum Thickness Variation)	<i>YES</i>	<i>YES</i>	<i>YES</i>
MVV	(Minimum Velocity Variation)	<i>YES</i>	<i>YES</i>	<i>YES</i>
DA	(Discontinuity Analyzer)	<i>YES</i>	<i>YES</i>	<i>YES</i>
Gradient Methods				
GRA	(Gradient of any Quantity)	<i>YES</i>	<i>NO</i>	<i>NO</i>
MVAJ	(Minimum Variance of $\mathbf{J}$)	<i>YES</i>	<i>YES</i>	<i>NO</i>
MVAcE	(Minimum Variance of $\nabla \times \mathbf{E}$)	<i>YES</i>	<i>YES</i>	<i>NO</i>
MDD	(Minimum Directional Derivative)	<i>YES</i>	<i>NO</i>	<i>NO</i>
STD	(Spatio Temporal Derivative)	<i>NO</i>	<i>YES</i>	<i>YES</i>
Single-spacecraft Methods				
MVAB	(Minimum Variance of B)	<i>YES</i>	<i>NO</i>	<i>NO</i>
HT	(deHoffmann-Teller Analysis)	<i>NO</i>	<i>YES</i>	<i>YES</i>
MFR	(Minimum Faraday Residue)	<i>YES</i>	<i>YES</i>	<i>NO</i>
MMR	(Minimum Massflow Residue)	<i>YES</i>	<i>YES</i>	<i>NO</i>
MLMR	(Minimum Linear Momentum Residue)	<i>YES</i>	<i>YES</i>	<i>NO</i>
MTER	(Minimum Total Energy Residue)	<i>YES</i>	<i>YES</i>	<i>NO</i>
MER	(Minimum Entropy Residue)	<i>YES</i>	<i>YES</i>	<i>NO</i>
COM	(Combination of above)	<i>YES</i>	<i>YES</i>	<i>NO</i>

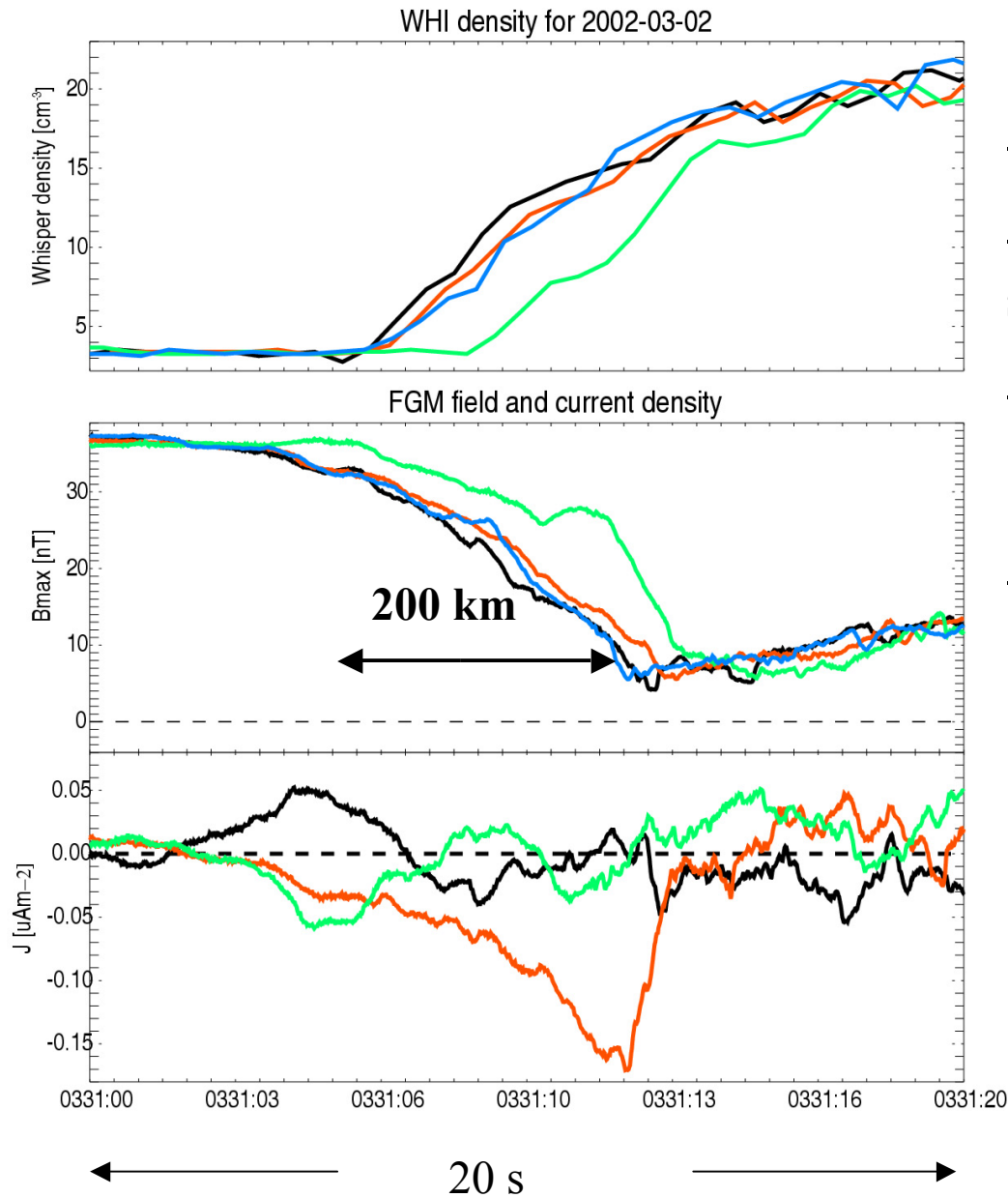
Sonnerup, Haaland et al.

Normals for 5 Jul 2001 06:24 UT Magnetopause



(Sonnerup et al., 2006)

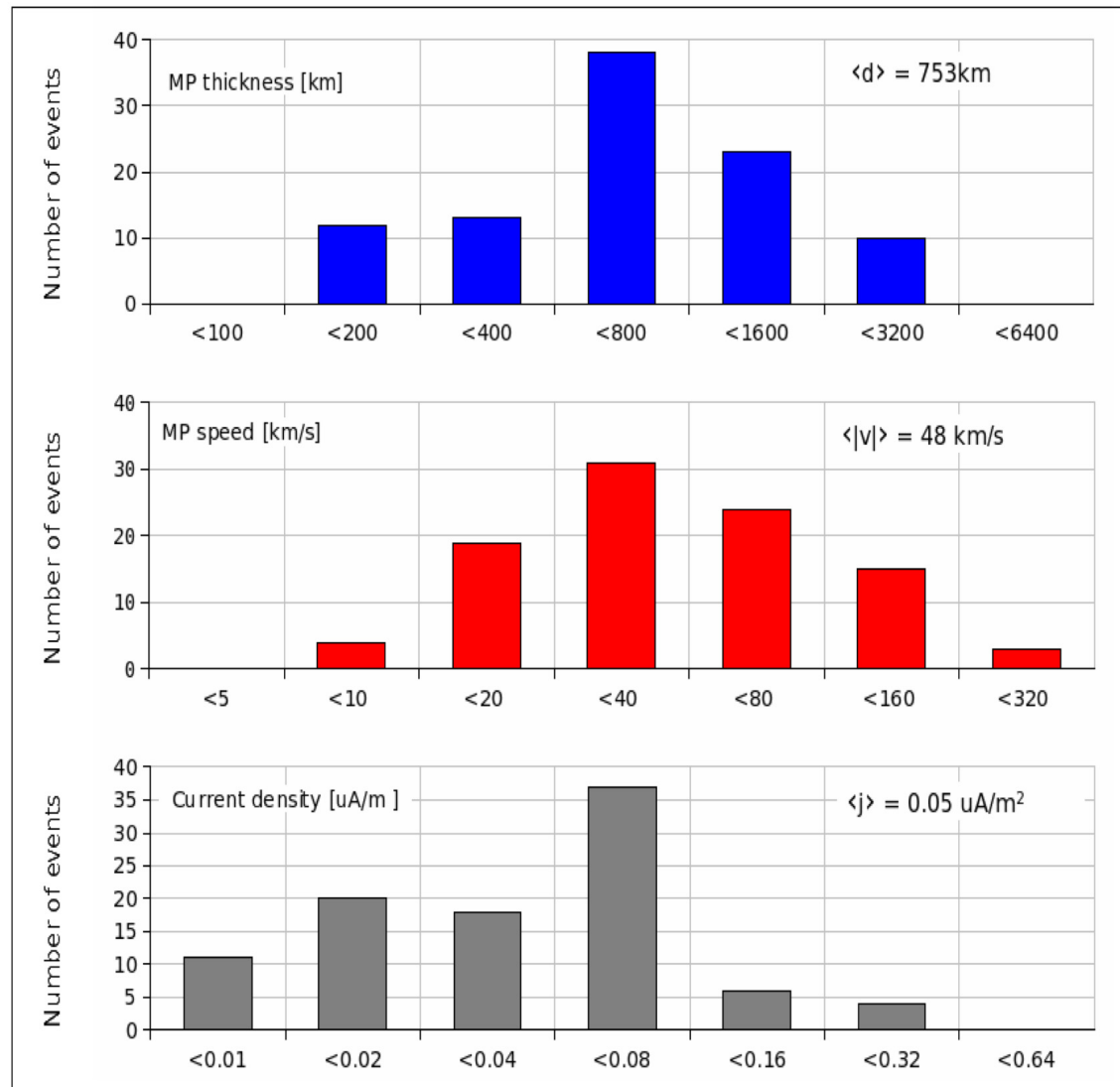
Magnetopause: Thickness & Currents



- Spacecraft separation: 100 km
- All 4 S/Cs in current layer at the same time
- currents from Ampere's law
$$\mathbf{j} = \text{curl-}\mathbf{B}/\mu_0$$
- No Boundary Layer

[Haaland et al., 2004]

Magnetopause Statistics



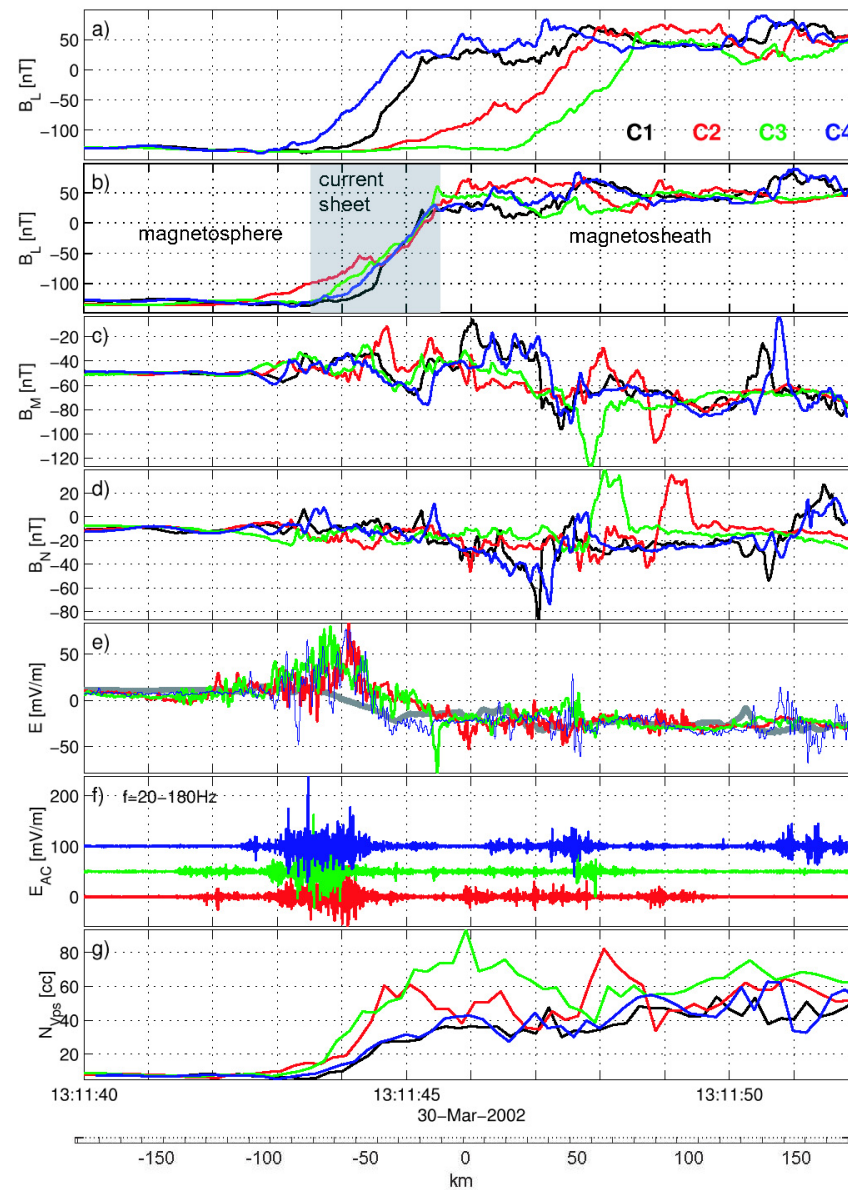
Thickness

Speed

Current Density

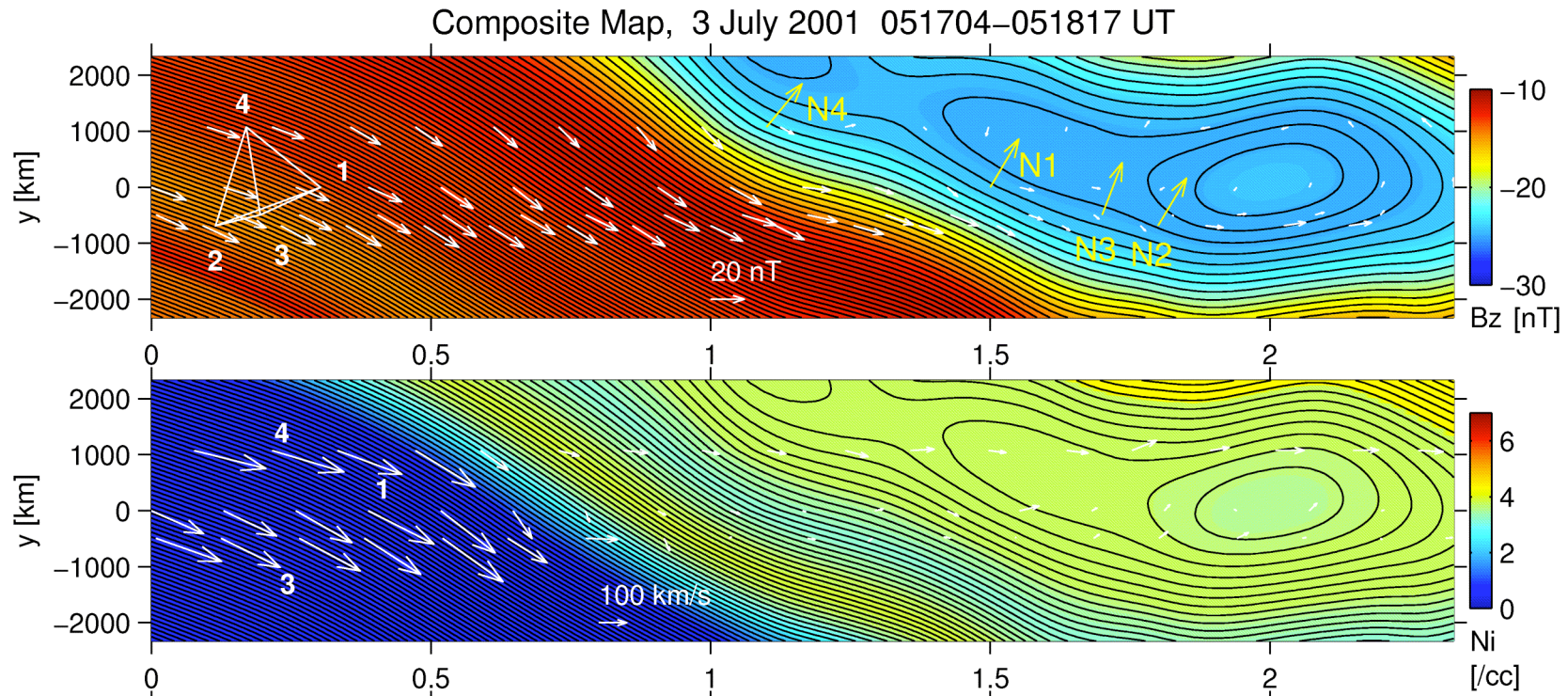
[Paschmann et al., 2005]

Intrinsic Electric Field



[from A. Vaivads]

Grad-Shafranov Reconstruction



$$\mathbf{j} \times \mathbf{B} = -\nabla p \quad \longrightarrow \quad \frac{\partial^2 A}{\partial x^2} + \frac{\partial^2 A}{\partial y^2} = -\mu_0 \frac{dP_t}{dA} = -\mu_0 j_z(A) \quad \text{GS-Equ.}$$

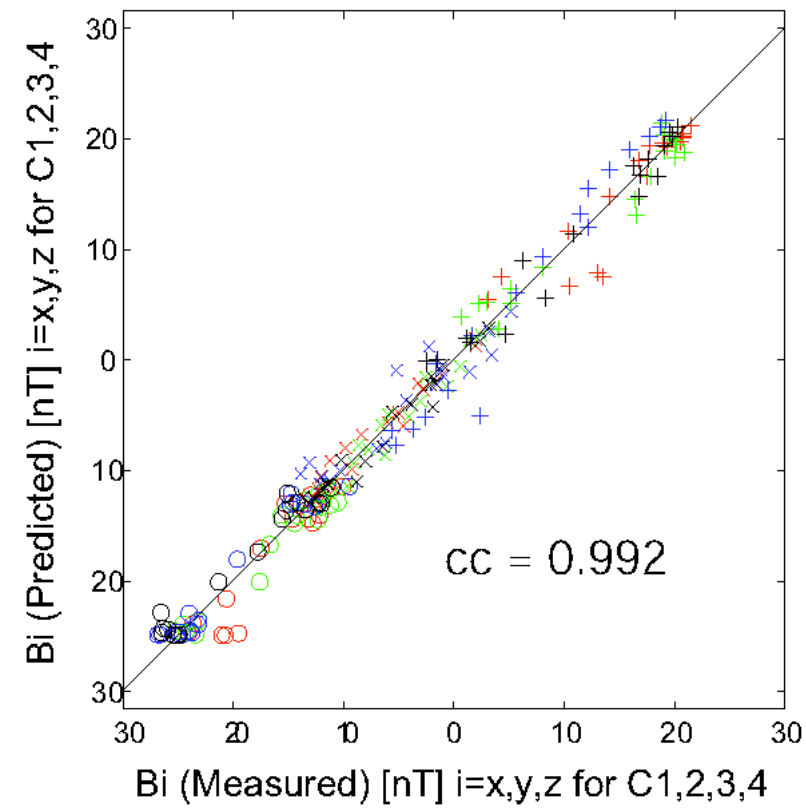
If 2D, time-stationary, no inertia forces

$A(x, y)\hat{\mathbf{z}}$ Vector Potential

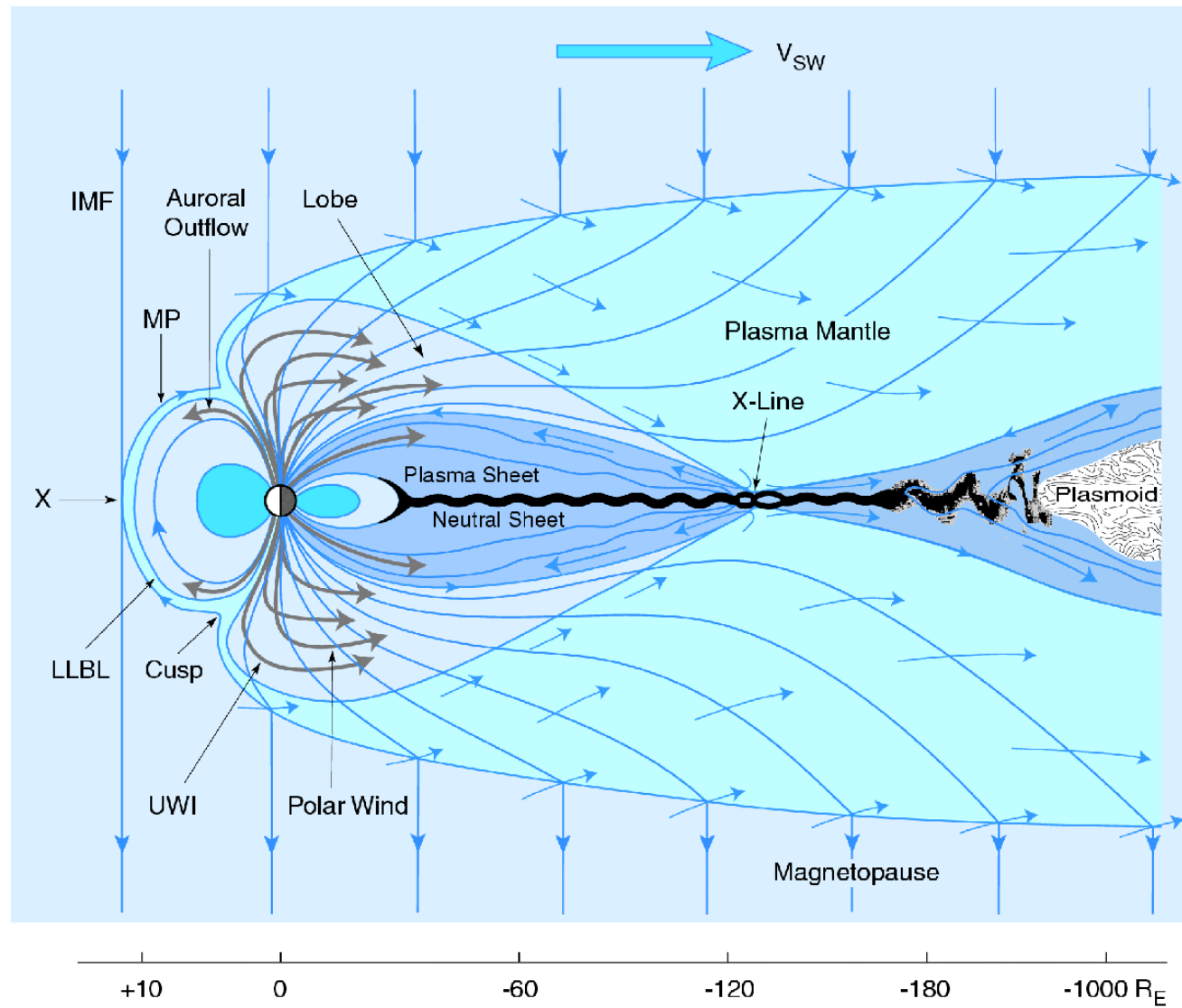
$P_t = p + \frac{B_z^2}{2\mu_0}$ Total Pressure

[Hasegawa et al., 2003]

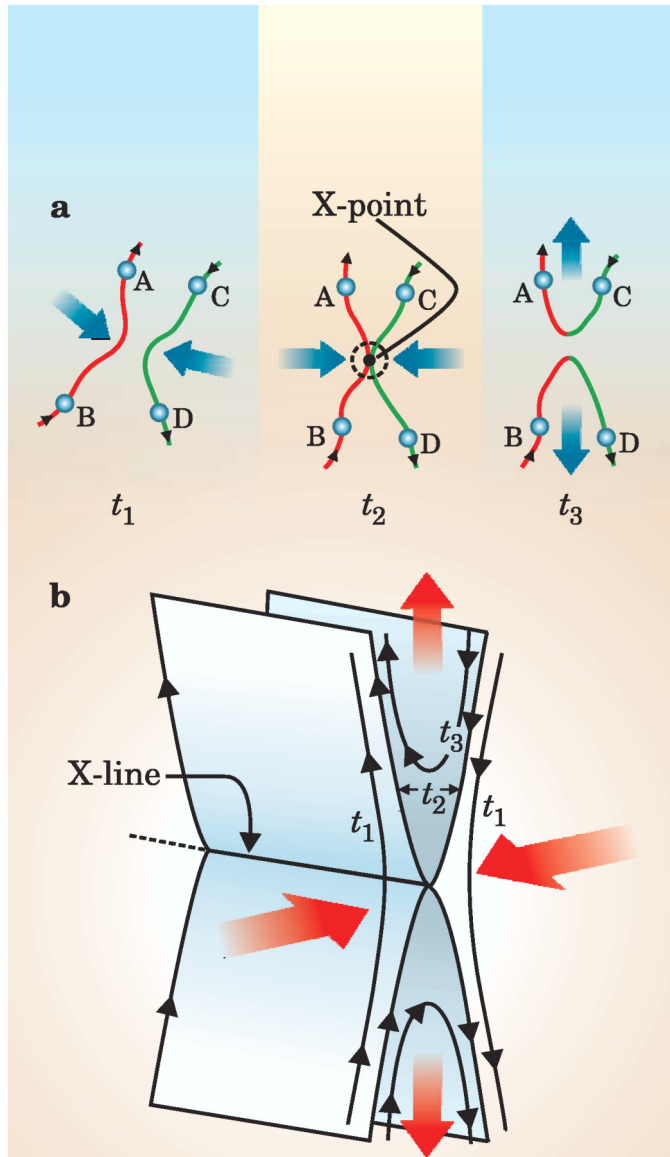
Measured vs. Predicted Fields



Magnetosphere Topology & Flows



Magnetic Reconnection: “Breaking through the lines”



Magnetic reconnection:

- 1) *Occurs at thin current sheets.*
- 2) *Is a process that converts magnetic energy to bulk flow energy and plasma heating.*
- 3) *Changes the field topology.*
- 4) *Requires breakdown of the frozen-in condition of MHD in small region around the x-line*

(Nature, News&Views, 2006)

Cluster Magnetic Reconnection Observations

- Magnetopause
- Magnetotail
- Solar Wind
- (Magnetosheath)

Walén Relation

For an ideal MHD RD, the following relation holds:

$$\mathbf{V}' = \pm \mathbf{V}_A$$

where $\mathbf{V}' = (\mathbf{V} - \mathbf{V}_{HT})$ is the (field-aligned) plasma velocity in the deHoffmann-Teller (HT) frame, and $\mathbf{V}_A = [(1 - \alpha)/\mu_o \rho]^{1/2} \mathbf{B}$ is the intermediate mode wave speed, and $\alpha = (p_{||} - p_{\perp})\mu_o/B^2$ is the pressure anisotropy factor. The + and – signs correspond to waves propagating anti-parallel and parallel to $\mathbf{B}$ respectively, ρ is the mass density, μ_o is the permeability of free space,

In the spacecraft frame, the vector change in velocity ($\Delta \mathbf{V}$) experienced by plasma passing through an RD is

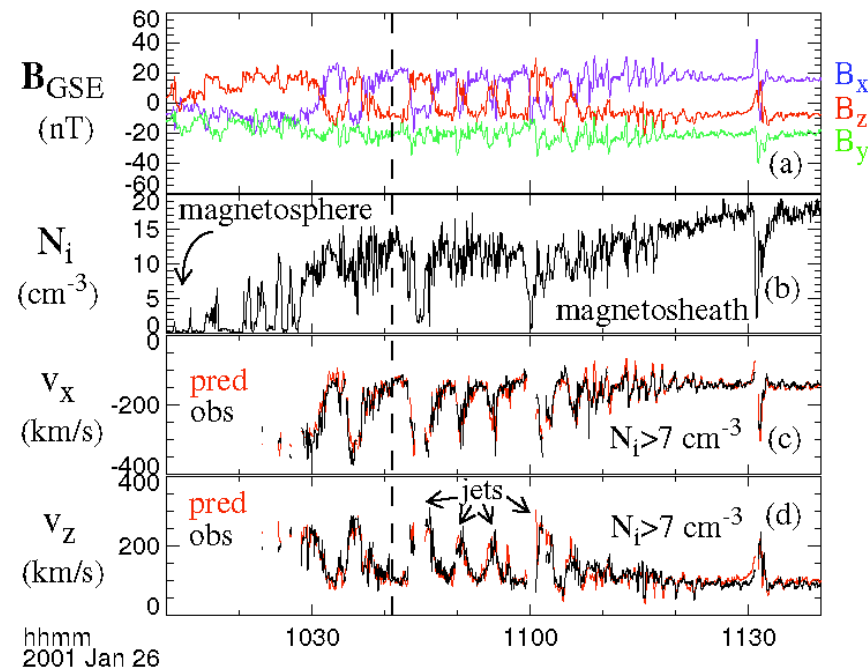
$$\begin{aligned} \Delta \mathbf{V} &= \pm \Delta \mathbf{V}_A = \pm [(1 - \alpha_2)/\mu_o \rho_2]^{1/2} \mathbf{B}_2 - [(1 - \alpha_1)/\mu_o \rho_1]^{1/2} \mathbf{B}_1 \\ &= \pm [(1 - \alpha_1)/\mu_o \rho_1]^{1/2} (\mathbf{B}_2 \rho_1 / \rho_2 - \mathbf{B}_1) \end{aligned}$$

Where Δ refers to changes between points up and downstream from the RD.

deHoffmann-Teller (HT) Frame

- Frame of reference in which the plasma flow is field-aligned (or, equivalently, the electric field vanishes) on both sides of the discontinuity.
- Introduced for shocks by deHoffmann and Teller (1951).
- The transformation velocity $\mathbf{V}_{\text{HT}}$ from spacecraft to HT frame is determined from least-squares fitting of $-\mathbf{V}_{\text{HT}} \times \mathbf{B}_i$ to the directly measured electric field vectors $\mathbf{E}_i$, or $-\mathbf{V}_i \times \mathbf{B}_i$, if only plasma measurements $\mathbf{V}_i$ are available (Sonnerup et al., 1987).
- The HT frame participates in boundary motion. Thus $\mathbf{V}_{\text{HT}} \cdot \mathbf{n} = u$ is the boundary speed
- Existence of HT frame is a necessary but not sufficient condition for ongoing reconnection

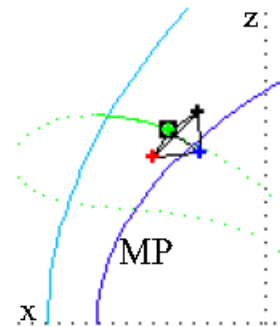
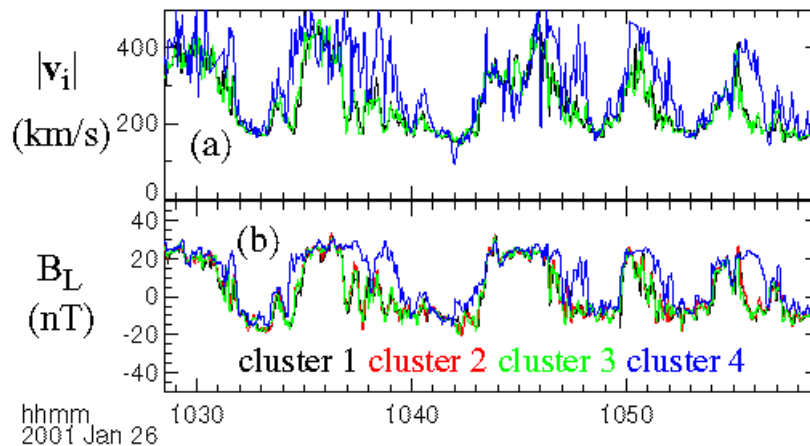
Plasma Jetting: Evidence for Reconnection



Jump relation for an RD with isotropic pressure:

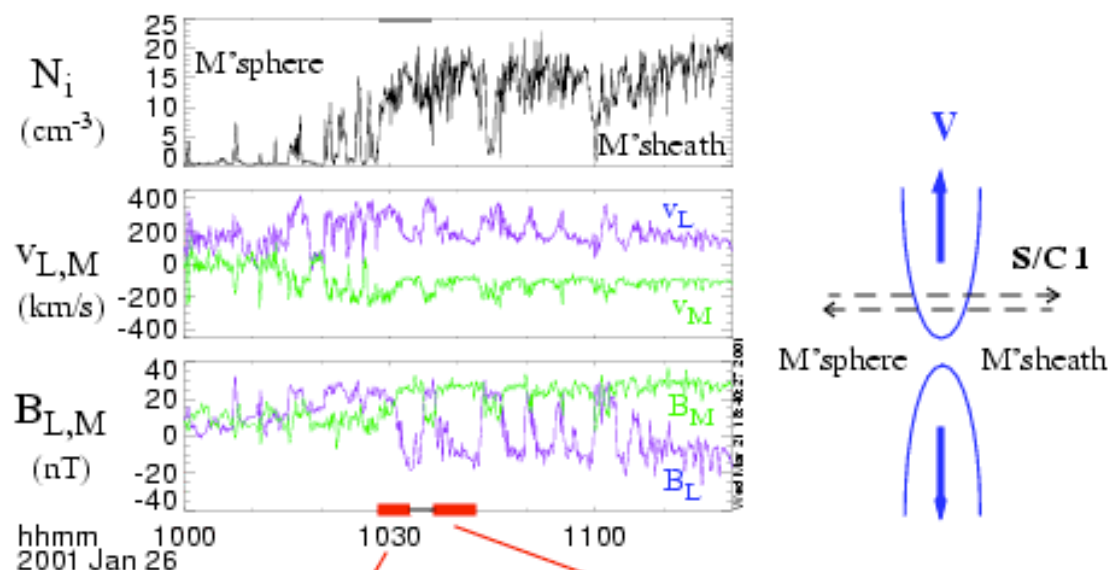
$$\Delta V = \Delta V_A = \Delta B (\mu_0 \rho)^{-0.5}$$

Acceleration is due to $\mathbf{j} \times \mathbf{B}_n$ force



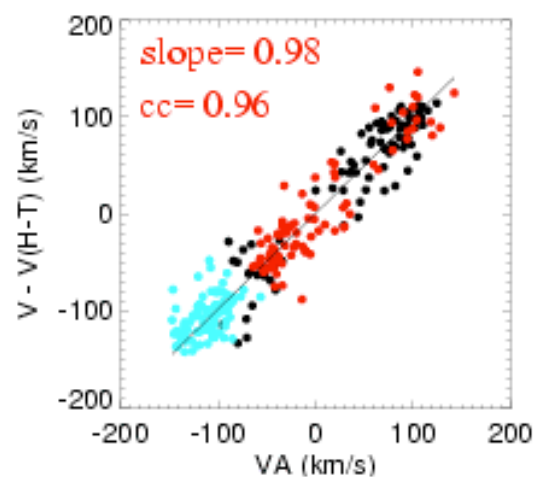
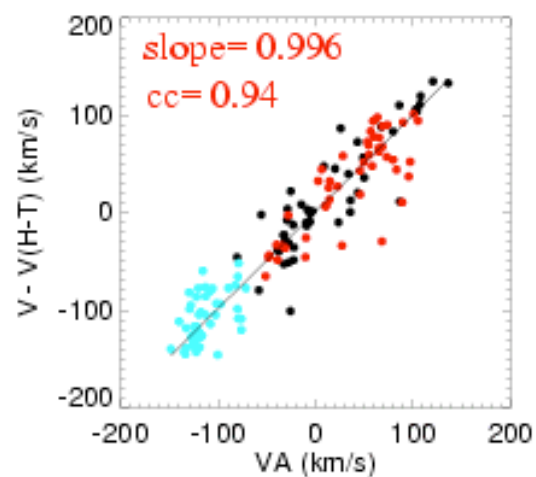
[Phan et al., 2004]

Walén Test at MP

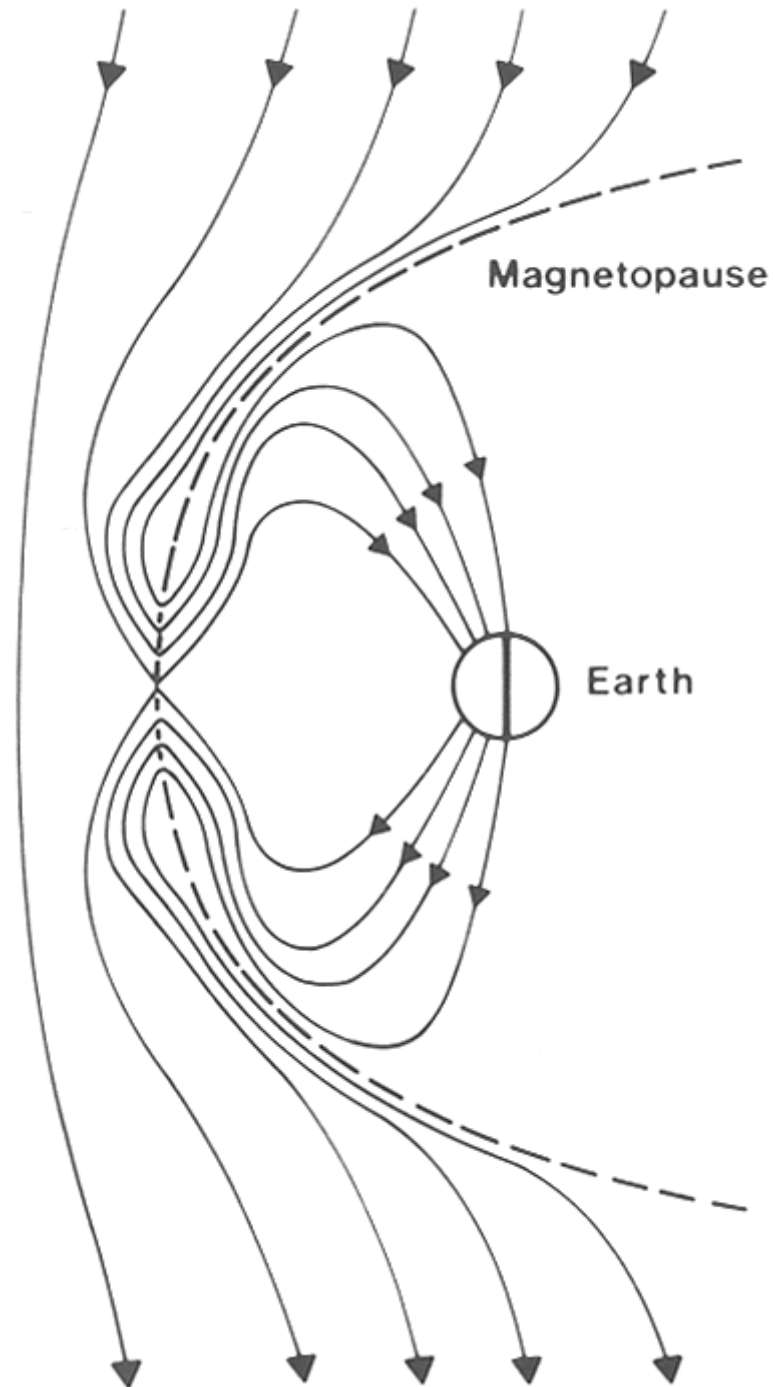


Walén Test

Walén Test

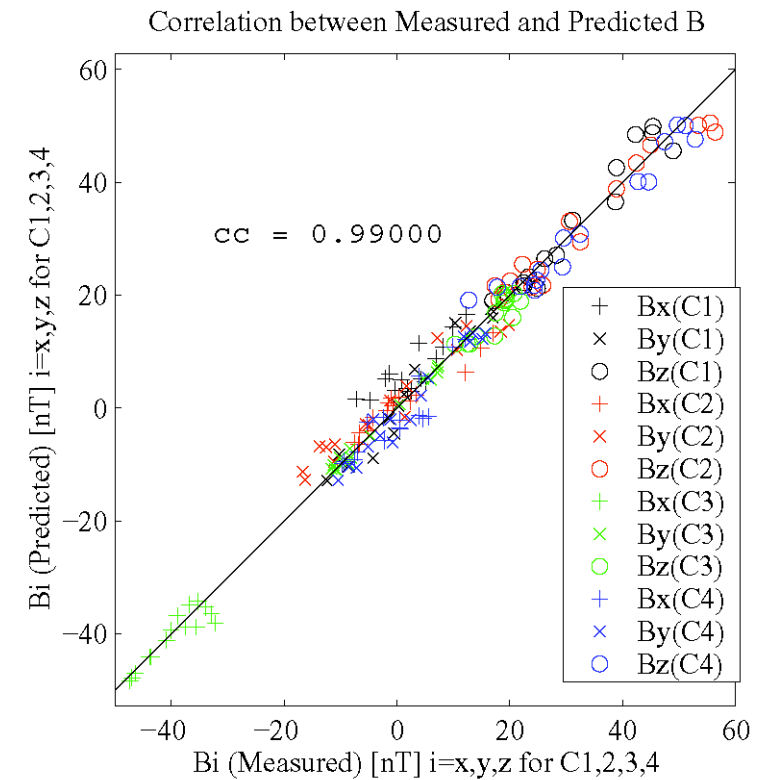
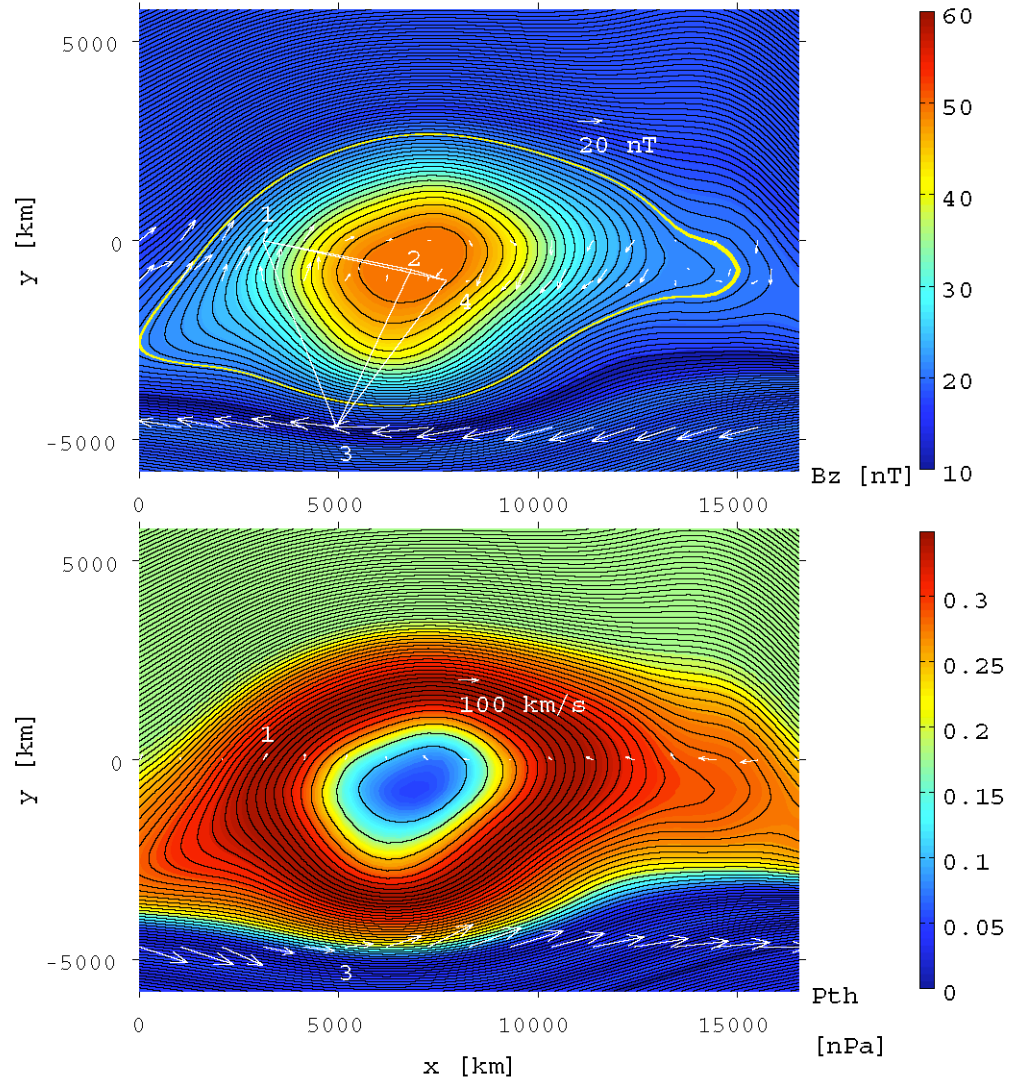


Temporally Modulated Reconnection Rate



Reconstruction of an FTE

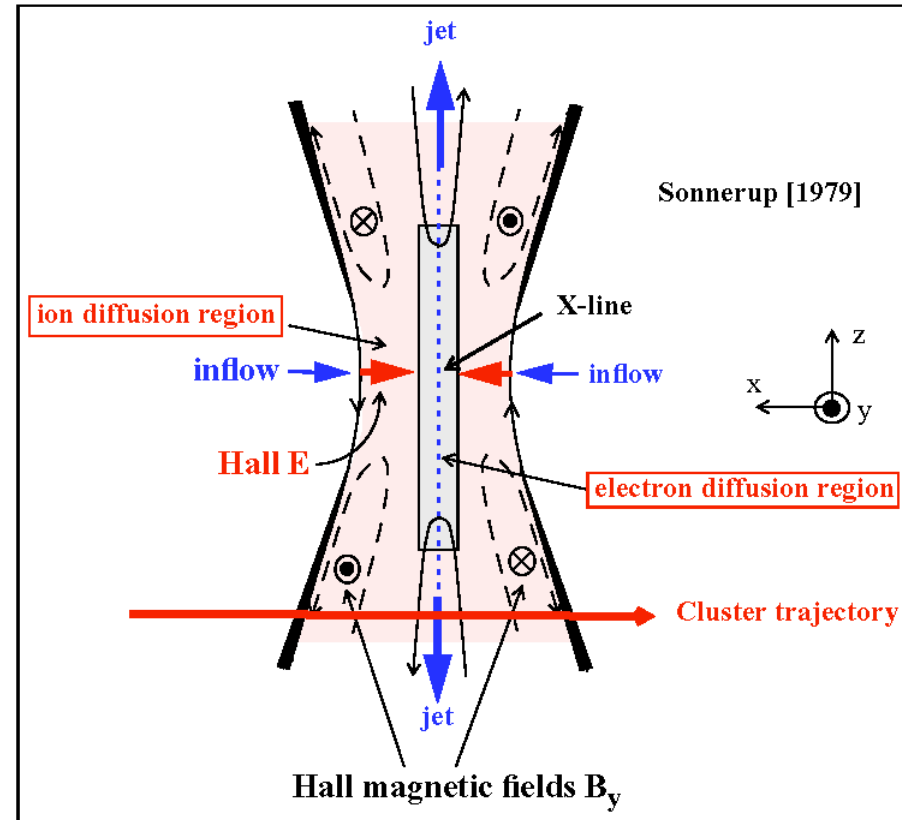
Composite Map, 8 Mar. 2003 070722-070827 UT



[Sonnerup et al., 2004]

Hall Magnetic Field: Ion Diffusion Region

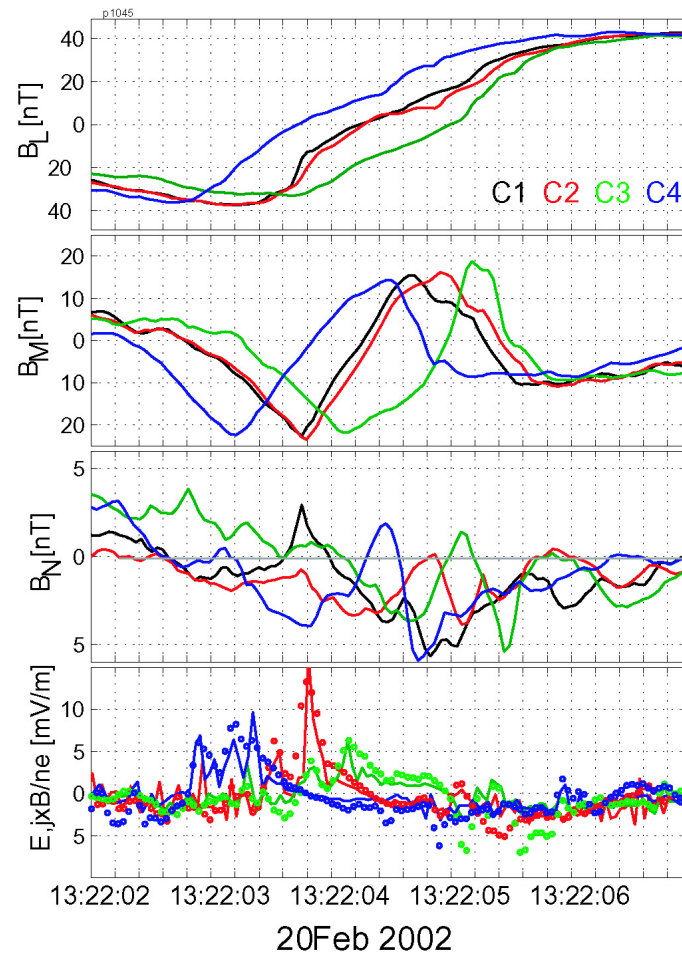
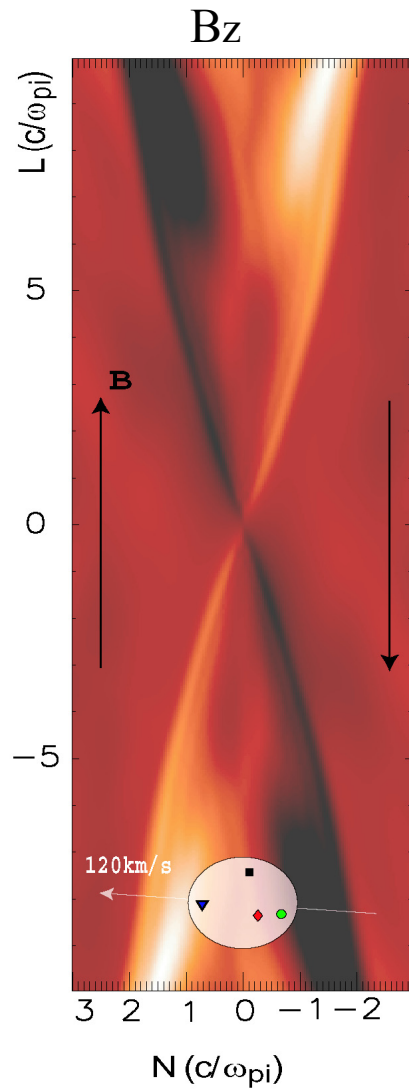
Magnetic Reconnection Diffusion Region



$$\mathbf{E} + \mathbf{v}_i \times \mathbf{B} = \underbrace{(\mathbf{j} \times \mathbf{B})/ne}_{\text{Hall}} - \underbrace{\nabla \cdot \mathbf{P}_e}_{\text{electron pressure}}/ne^2 + \underbrace{(1/\epsilon_0 \omega_{pe}^2) d\mathbf{j}/dt}_{\text{electron inertia}} + \underbrace{\eta \mathbf{j}}_{\text{resistive}}$$

Diagram illustrating the equation for the electric field $\mathbf{E}$ in the diffusion region, showing the contributions of the Hall term, electron pressure, electron inertia, and resistivity.

Hall Magnetic Field & E-Field Balance



Current sheet

Ion diffusion
region

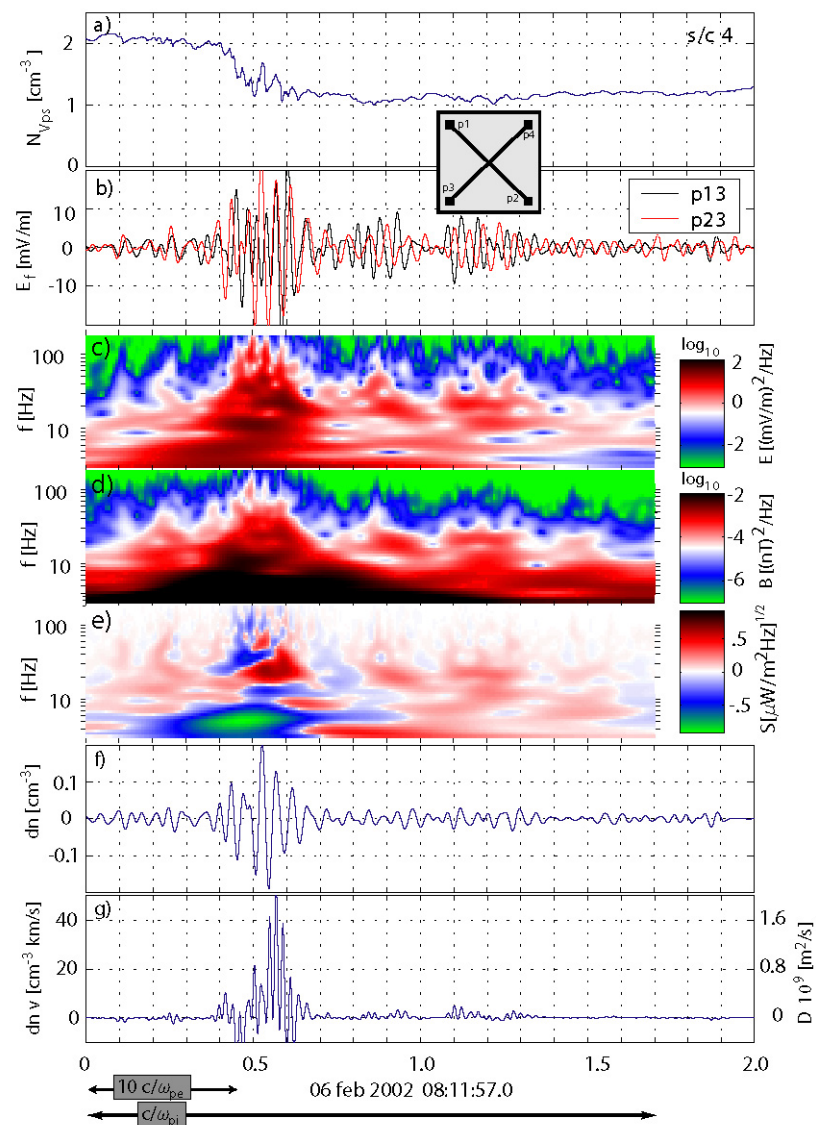
Reconnection !

$E_N \sim j \times B / ne$

7 s

[Vaivads et al., 2003]

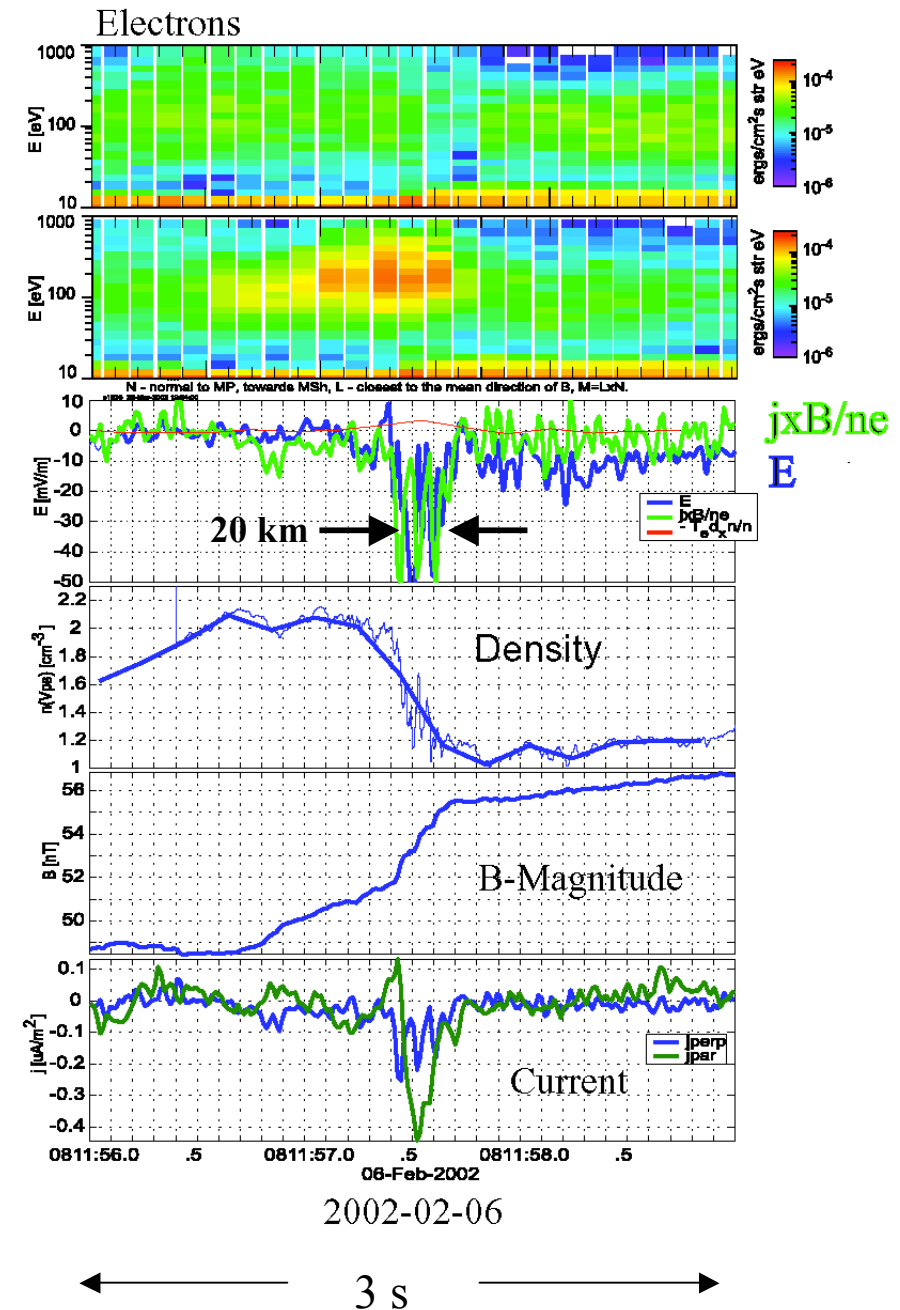
Lower-Hybrid Waves



[Vaivads et al., 2004]

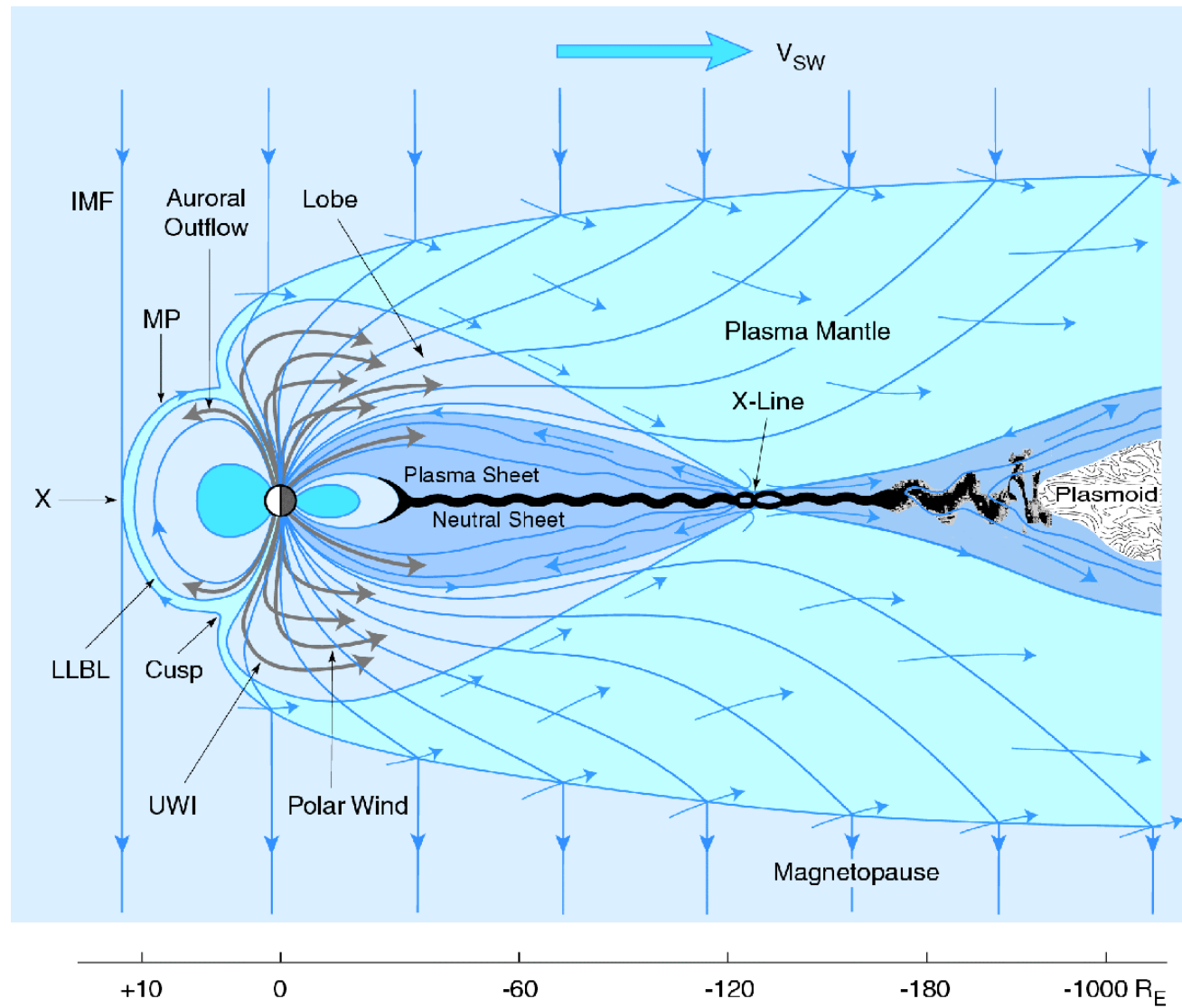
Electron-Scale Layer at Separatrix

[Andre et al., 2003]



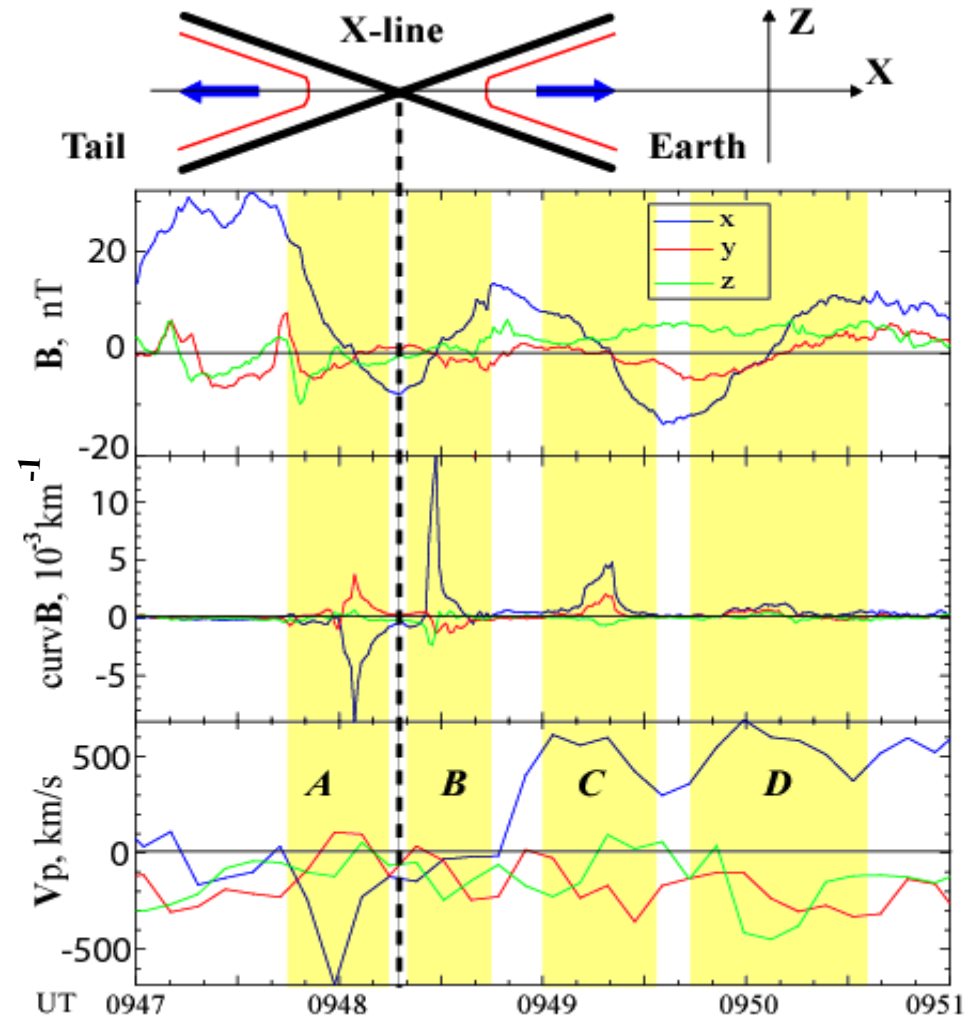
Reconnection in the Magnetotail

Magnetosphere Topology & Flows



Flow & Field Curvature Reversals

- Magnetic field components in the Cluster barycentre: 4 current sheet traversals
- Field line curvature:
$$\text{curv } \mathbf{B} = (\mathbf{b} \cdot \text{grad}) \mathbf{b}$$
- Flow and field line curvature reversal
- X-line moves tailward over Cluster

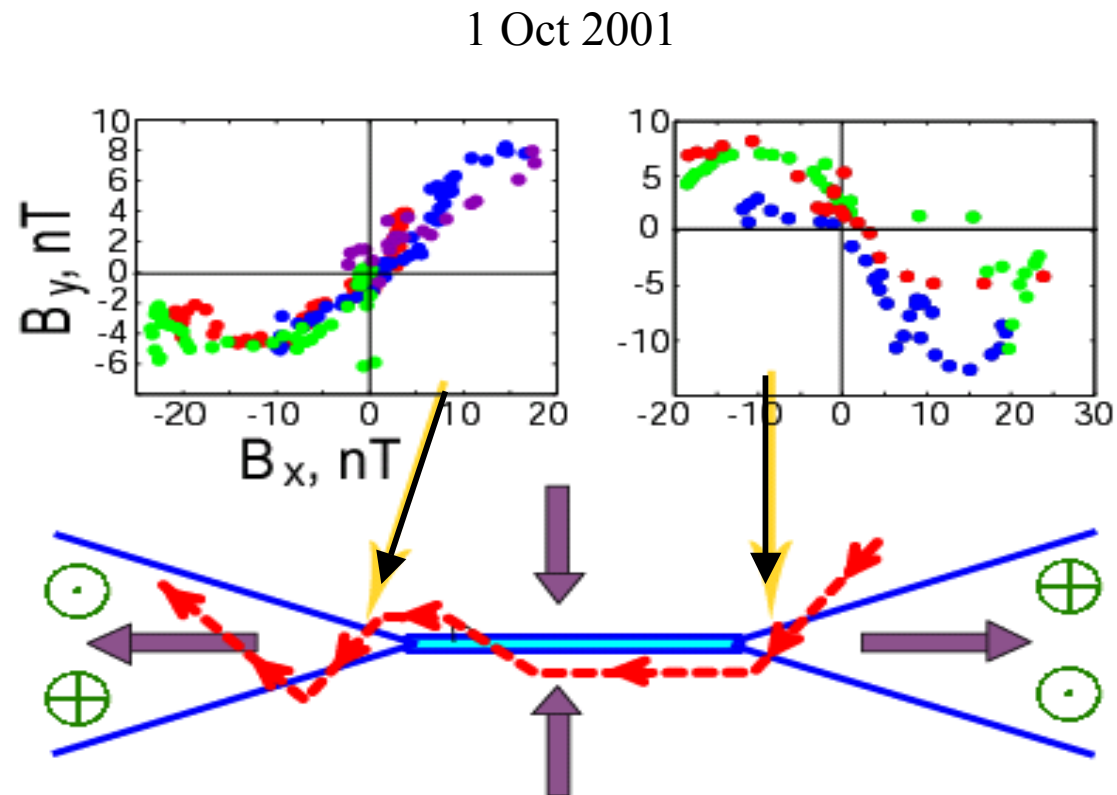


[Runov et al, GRL, 2003b]

1 Oct 2001

Reconnection & Hall Effect at the Tail Current Sheet

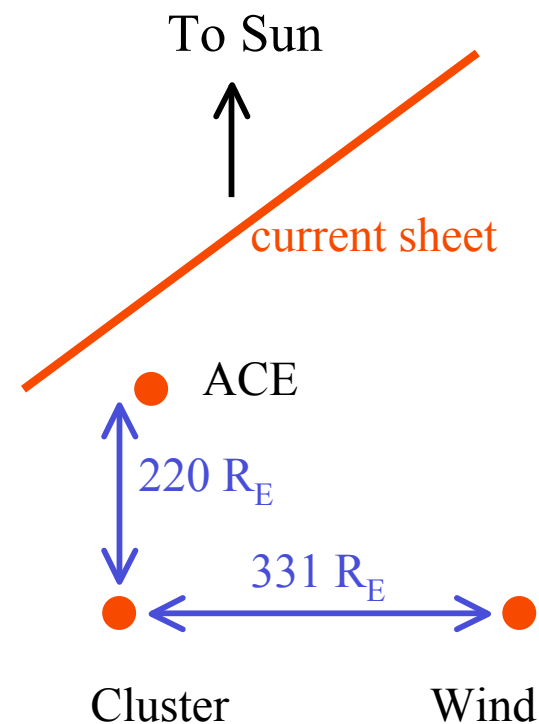
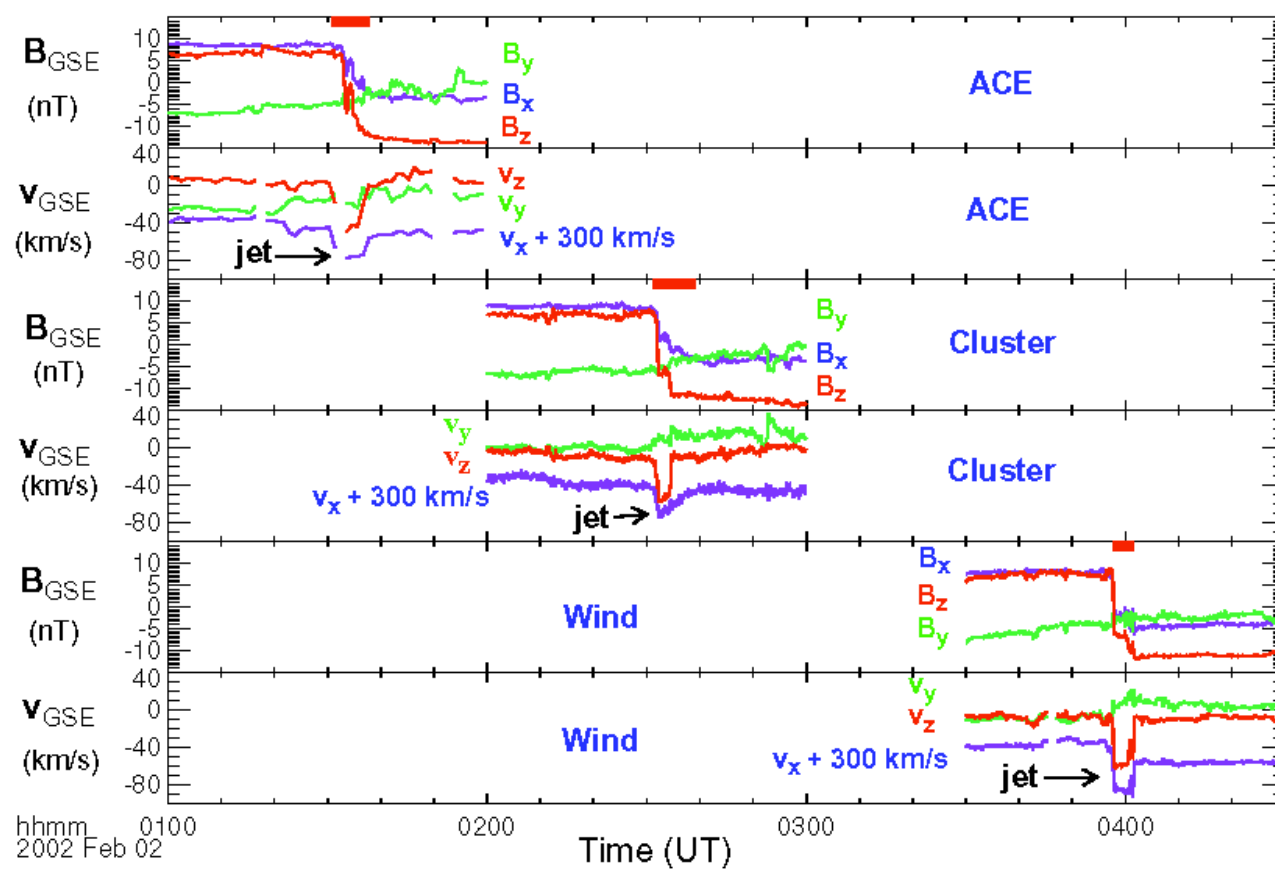
- 500 km thin current sheet around X-line
- Bifurcated current sheet on both sides of X-line
- Hall effect (ΔB_y) during 'outer' crossings shows ion decoupling



[Runov et al., GRL, 2003b]

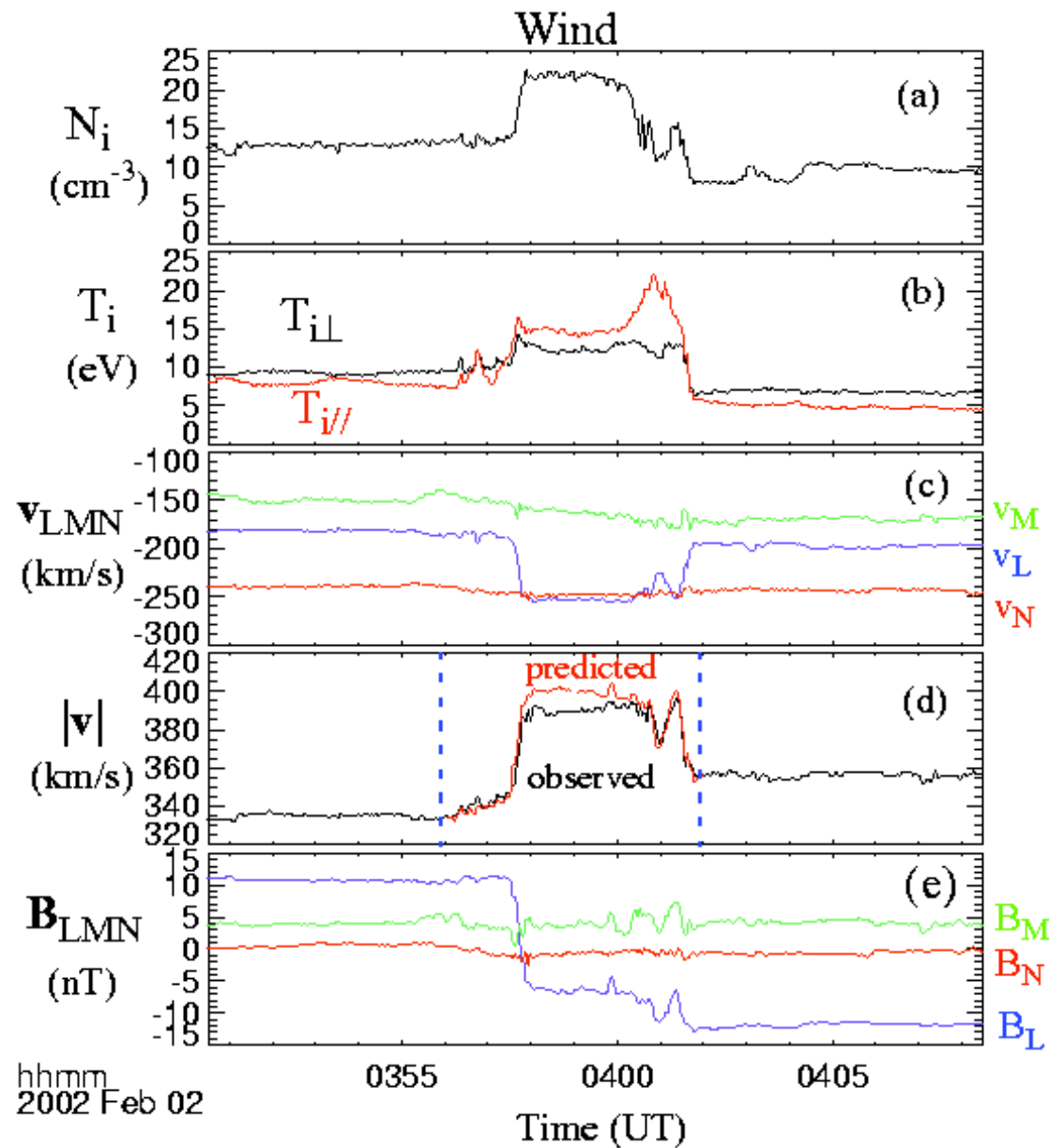
Reconnection in the Solar Wind

Overview 2002-02-02 Event



(Phan et al., Nature 2006)

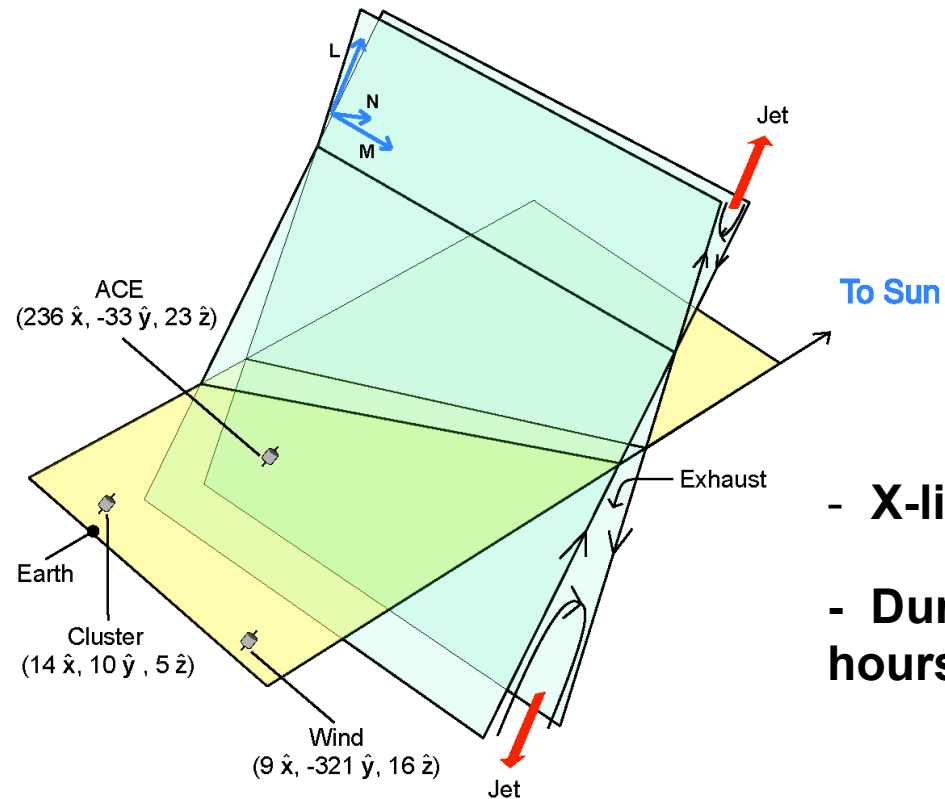
The 2002-02-02 Reconnection Event at Wind



Flow speed change
agreed with Walen
condition.

Change in normal speed
 ~ 5 km/s. Implies $V_{an} \sim$
2.5 km/s and low
reconnection rate.

Geometry of 2002-02-02 Event



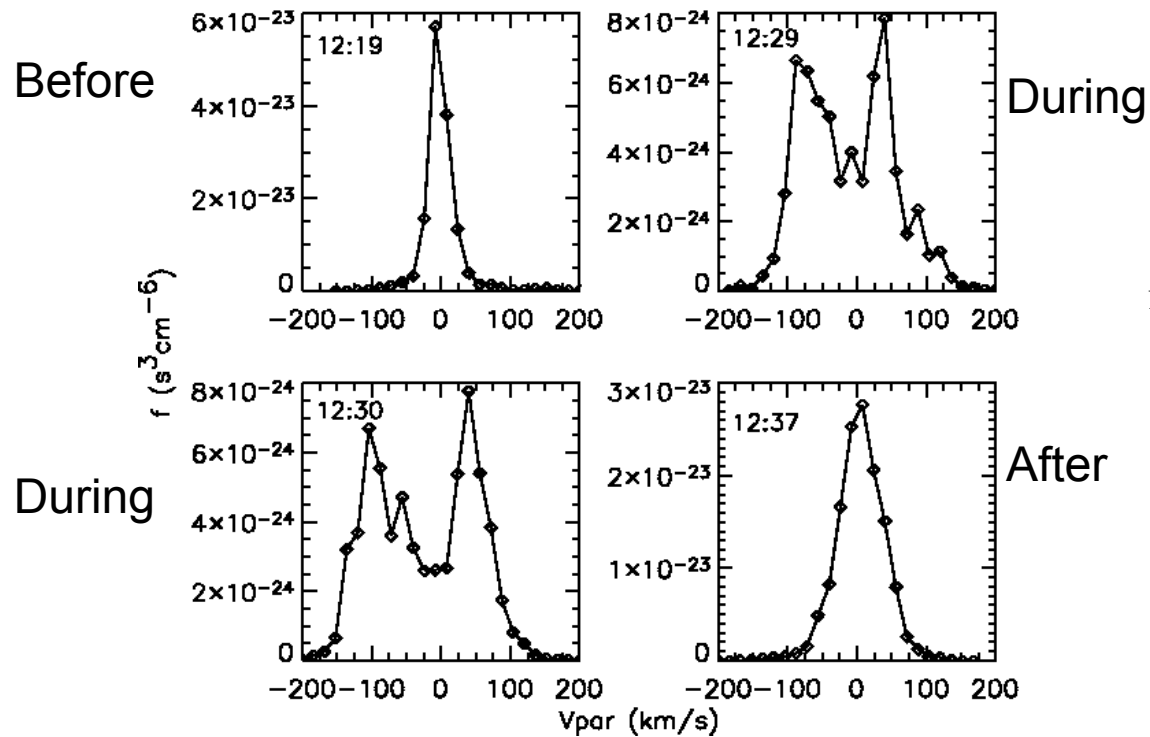
- **X-line Extent: At least 390 R_E**
- **Duration of Reconnection: At least 2.5 hours**

Current Sheet Normal: (0.71 $\mathbf{x}$, 0.60 $\mathbf{y}$, -0.37 $\mathbf{z}$) in GSE (MVAB)

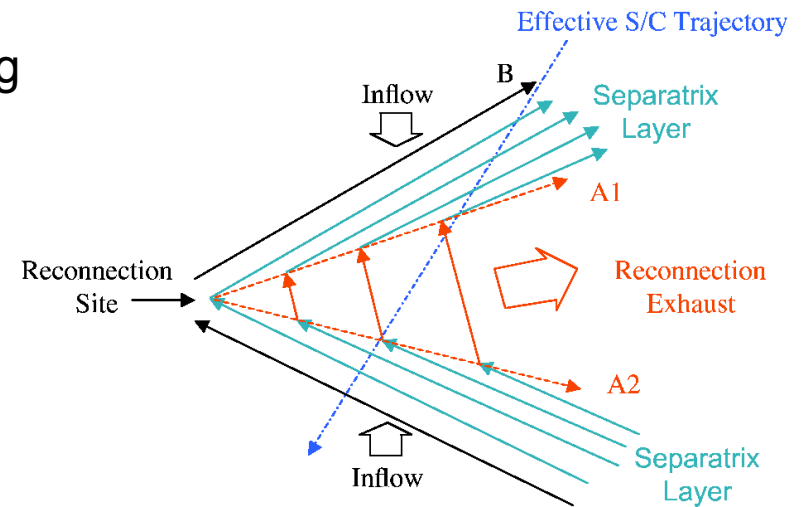
Current Sheet Tilt: $> 40^\circ$ with respect to y_{GSE}

Reconnection Signatures: Interpenetrating Ion Beams

Solar Wind Frame



11/23/1997



(Gosling et al., 2005a)

The End