

# Estimating the Energy Budget of the Polar Wind Outflow

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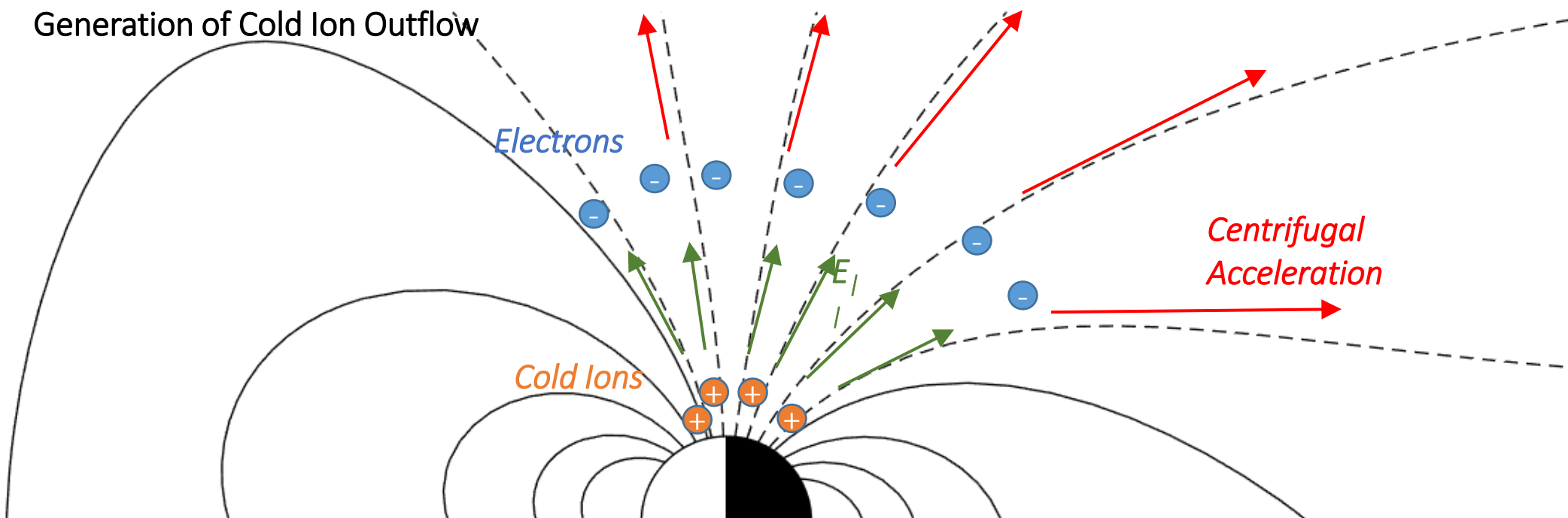
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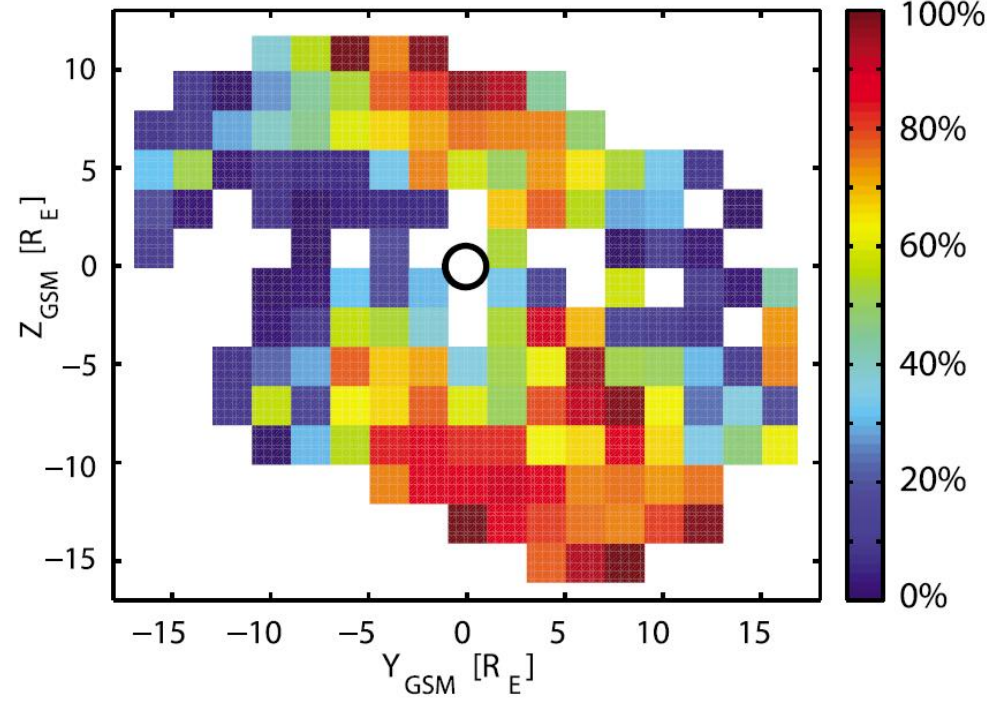
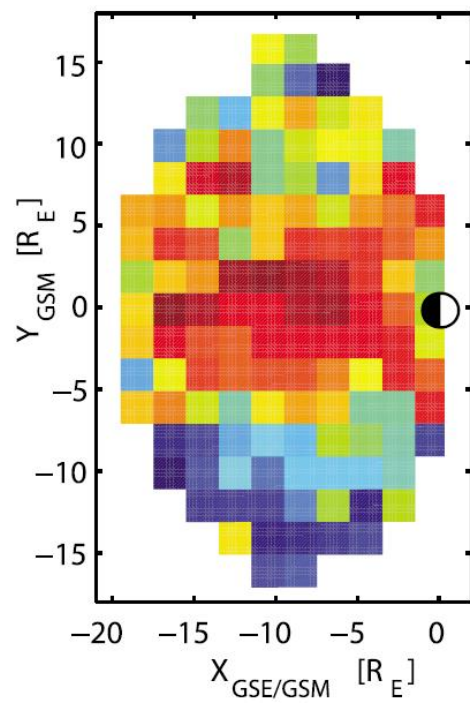
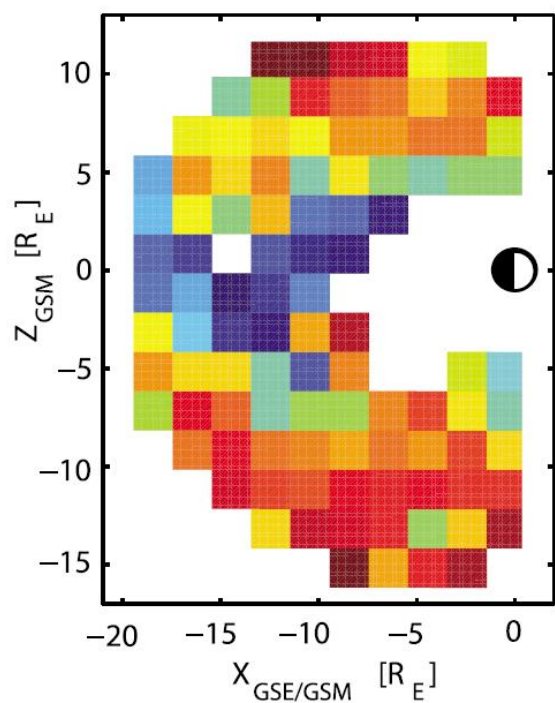
# Introduction

## Generation of Cold Ion Outflow



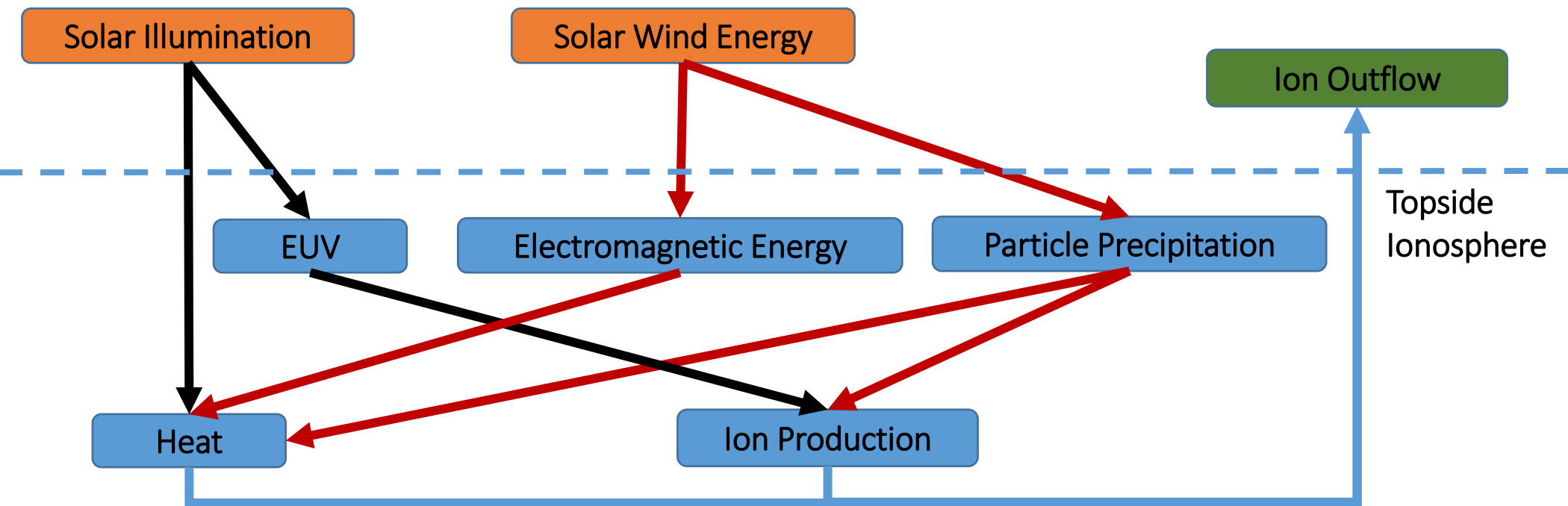
## Cold Ion Dominates the Ion Population in the Magnetosphere

[Engwall et al., 2009, AG]

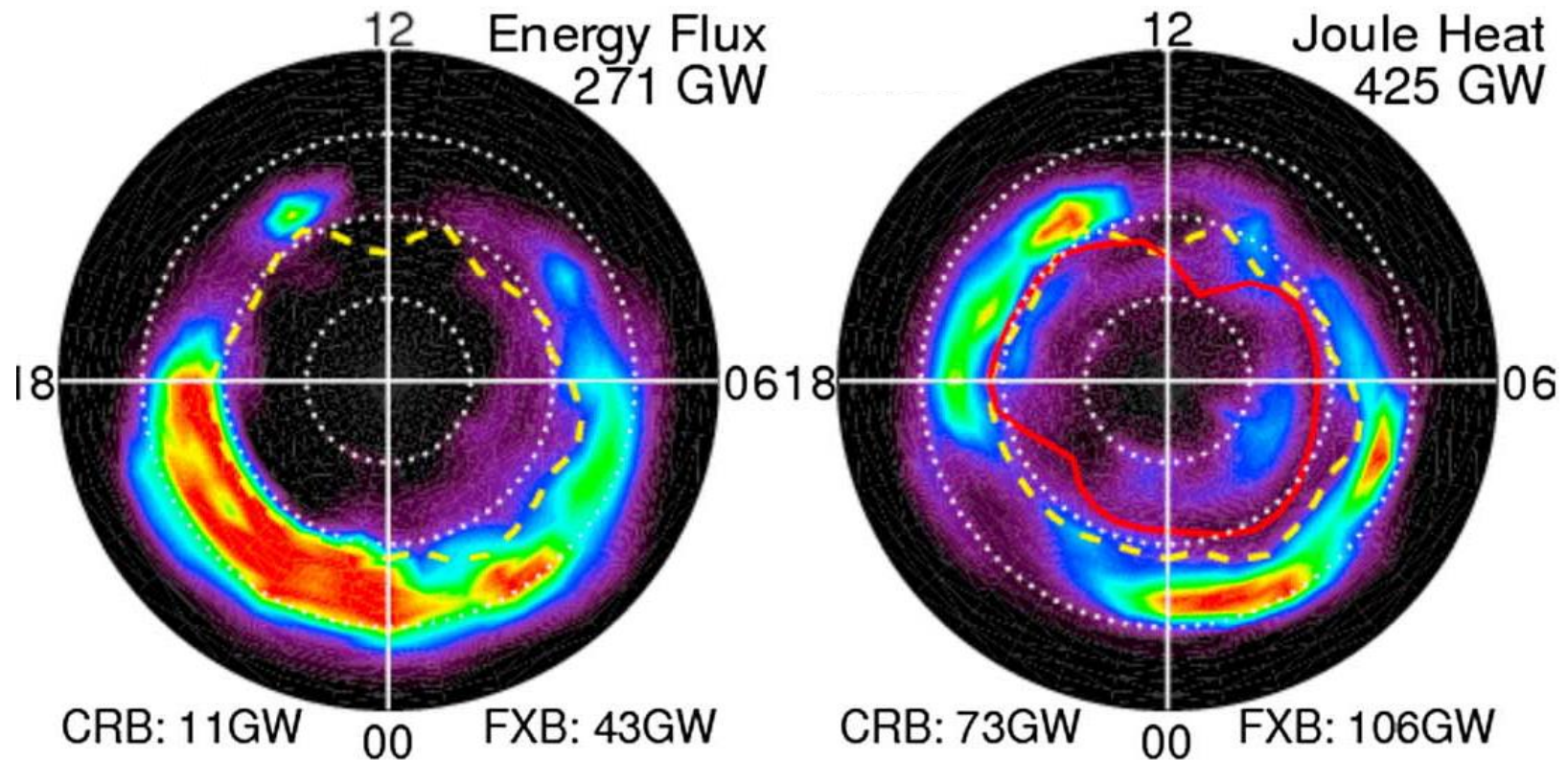


# Introduction

## Two Main Controllers of Ion Outflow from the Polar Cap

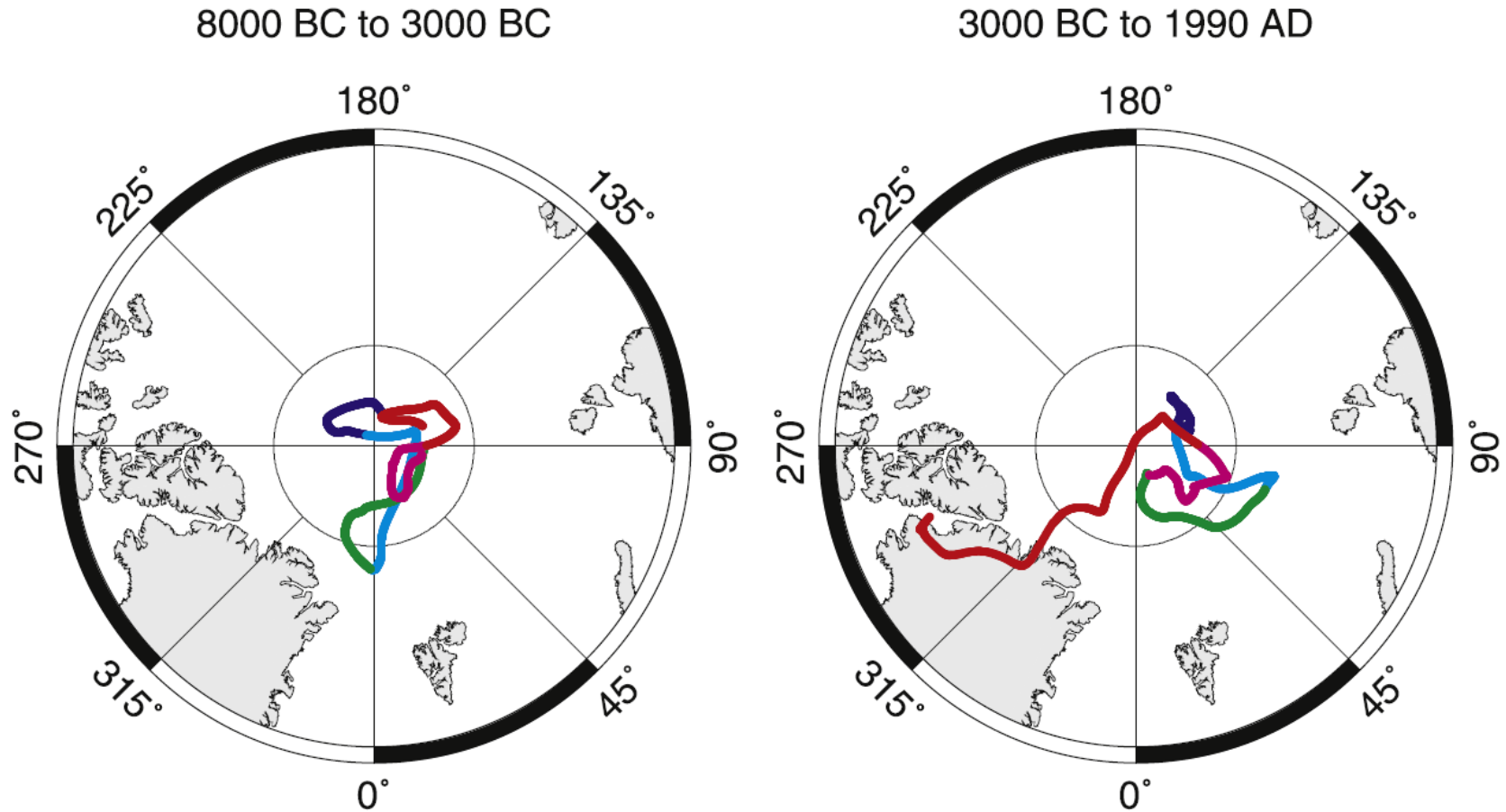


Question 1: How Is Cold Ion Outflow Affected by the Changing Solar Wind Energy Input?



About 22-25% of the energy dissipation in the polar ionosphere take place in the polar cap

Question 2: How Is Cold Ion Outflow Affected by the Changing Geomagnetic Dipole in the History?

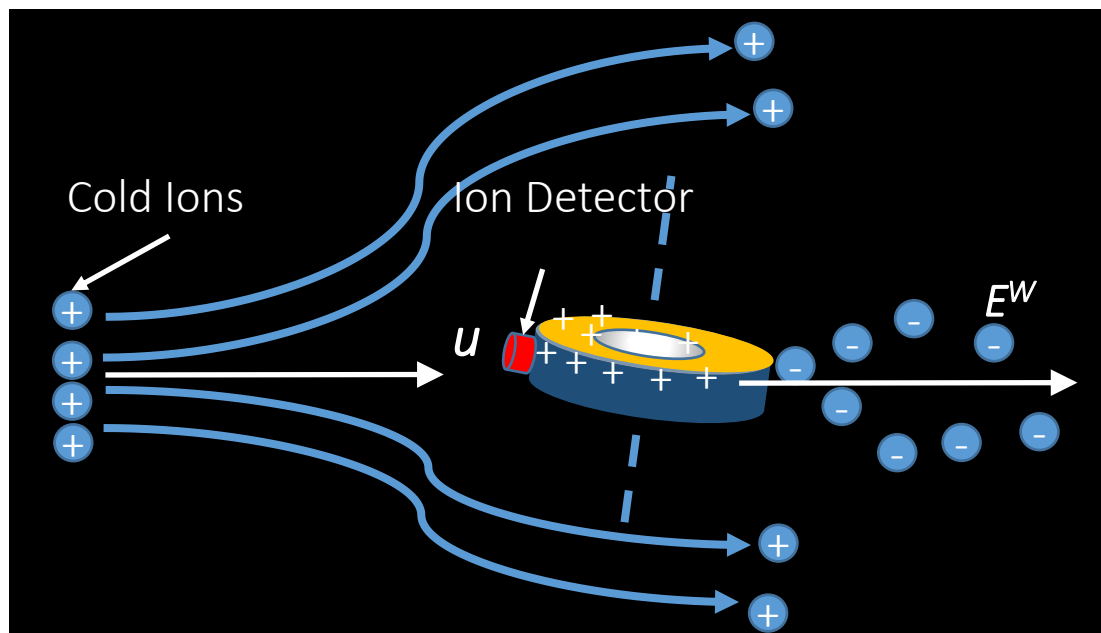


The geomagnetic dipole has been changing.

[Korte *et al.*, 2011, EPSL]

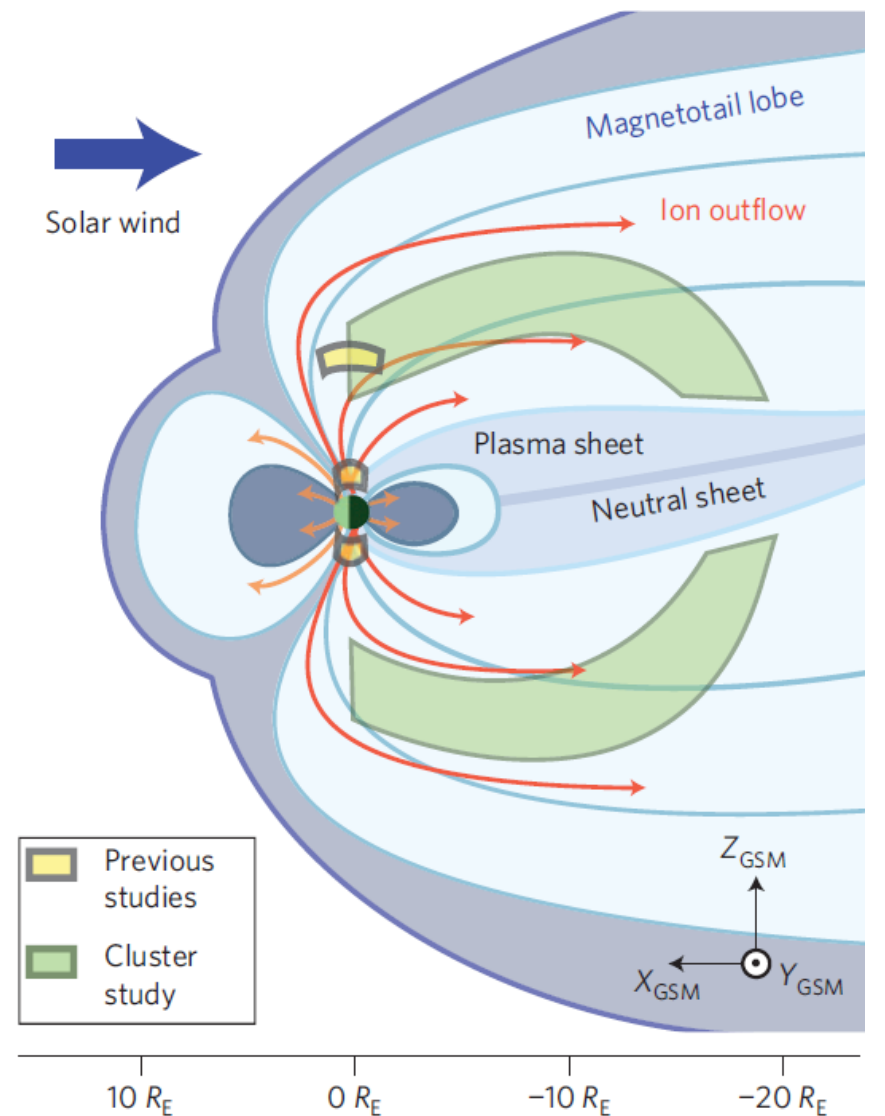
# Data and Method

## 1. Measure the cold ions ( $E_k < 70\text{eV}$ , $E_T \sim \text{few eV}$ )



Input Data		Output Data
EFW, EDI, FGM	➔	Bulk Parallel Velocity
EDI	➔	Bulk Perpendicular Velocity
EFW	➔	Density

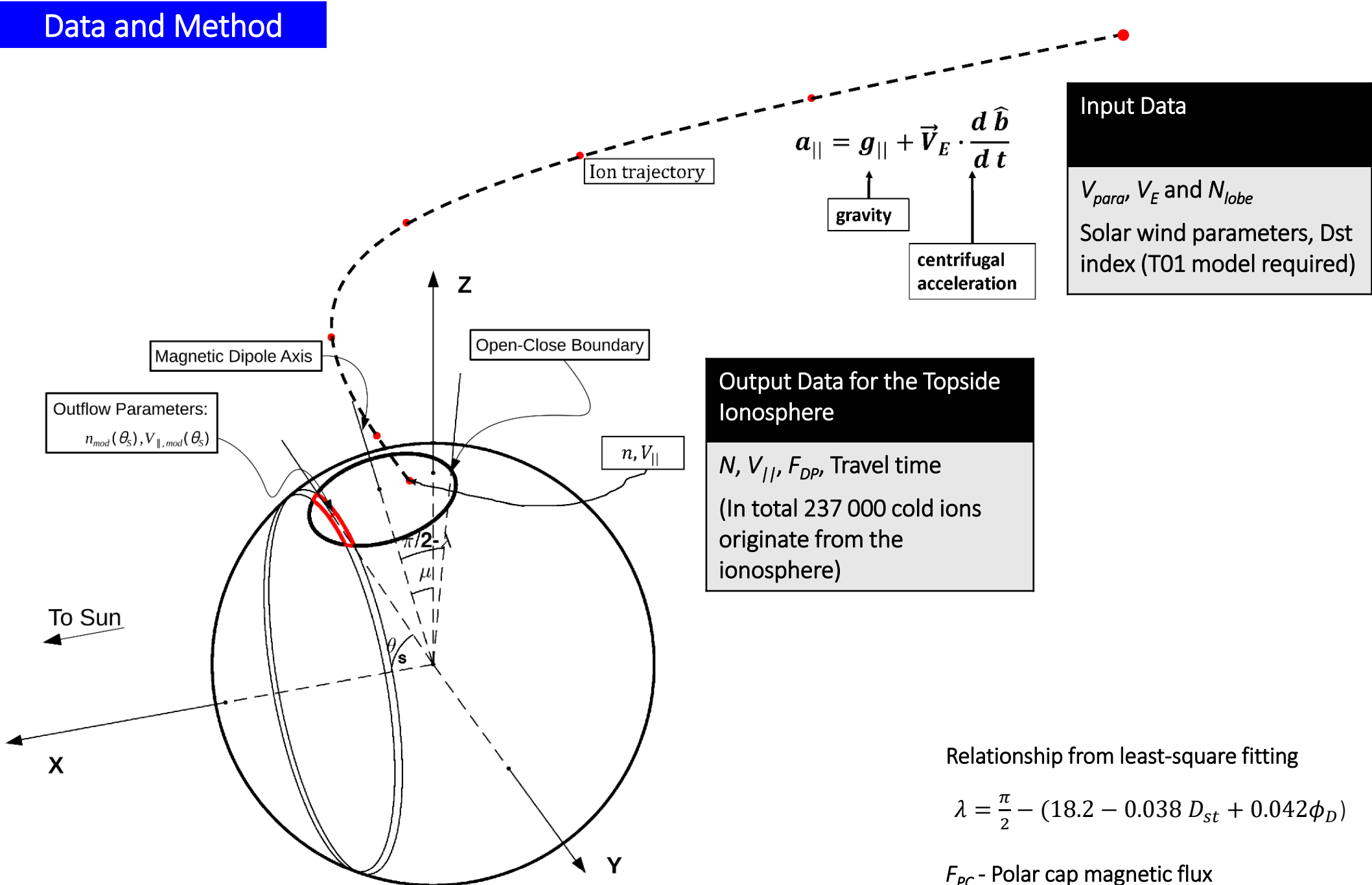
[Engwall et al., 2009a, AG]



[Engwall et al., 2009b, Nat. Geophys.]

- Extended data set from two Cluster spacecraft from the years 2001-2010.
- In total 320 000 measurements of tailward moving cold ions.

[André et al., 2015, JGR]



**Output Data for the Topside Ionosphere**  
 $N, V_{||}, F_{DP}$ , Travel time  
 (In total 237 000 cold ions originate from the ionosphere)

**Input Data**  
 $V_{para}, V_E$  and  $N_{lobe}$   
 Solar wind parameters, Dst index (T01 model required)

Relationship from least-square fitting

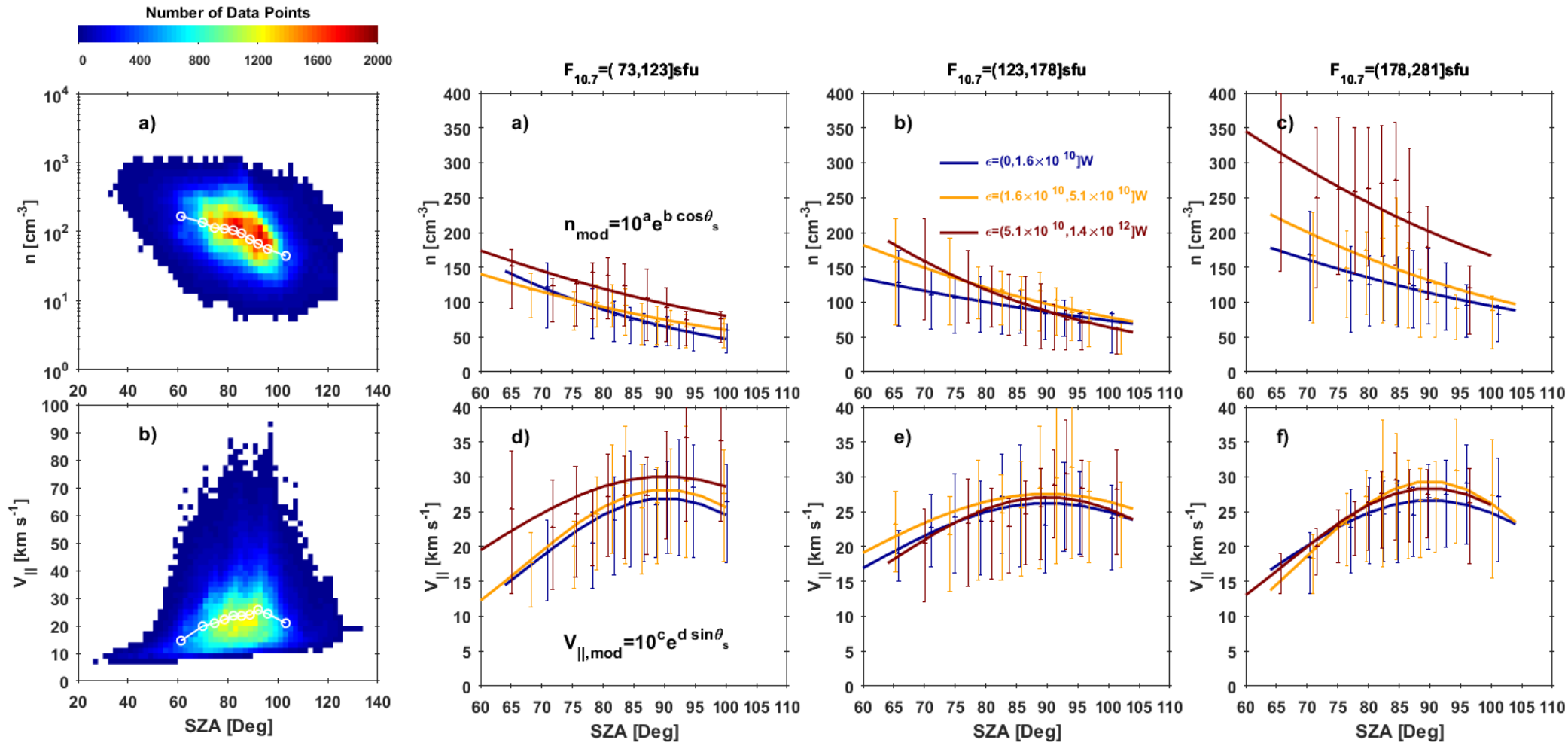
$$\lambda = \frac{\pi}{2} - (18.2 - 0.038 D_{st} + 0.042 \phi_D)$$

- $F_{PC}$  - Polar cap magnetic flux
- $\phi_D$  - Dayside reconnection rate
- $\lambda$  - Magnetic latitude of polar cap boundary

[Li et al., 2018, in prep.]

$$F_E = \sum_{\theta_S} F_{DE,mod}(\theta_S) \Delta S(\theta_S, \lambda, \mu) = \frac{1}{2} m_p \sum_{\theta_S} n_{mod}(\theta_S) V_{||,mod}^3(\theta_S) \Delta S(\theta_S, \lambda, \mu)$$

Deriving  $n_{mod}(\theta_S)$  and  $V_{||,mod}(\theta_S)$  using  $n$  and  $V_{||}$  from particle tracing:



$$n_{mod}(\theta_S) = 10^a e^{b \cos \theta_S} \text{ and } V_{||,mod}(\theta_S) = 10^c e^{d \sin \theta_S}$$

$b$  and  $d$  are determined from least square fitting

$a$  and  $c$  are determined from:

$$a = \log_{10}\left(\frac{n}{e^{b \cos \theta_S}}\right) \text{ and } c = \log_{10}\left(\frac{V_{||}}{e^{d \sin \theta_S}}\right)$$



## 1. Total Kinetic Energy Power of Polar Wind as a Function of the $\epsilon$ Parameter

$$\epsilon = \frac{4\pi}{\mu_0} V_{SW} B^2 \sin^4 \frac{\theta}{2} R_{cf}^2$$

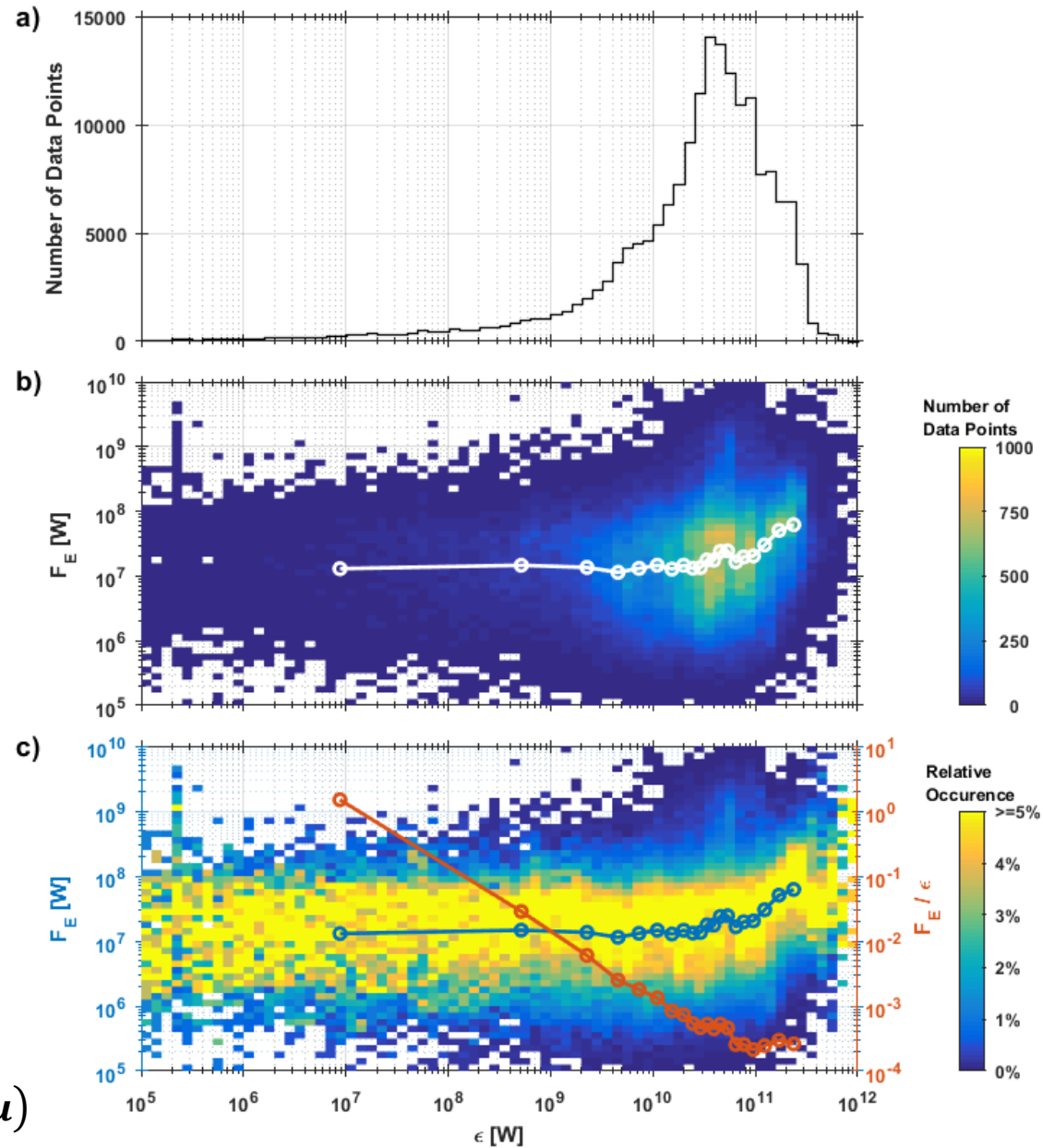
$$R_{cf}^2 = (B_0 / 4\pi \rho V_{SW}^2)^{1/3} R_E^2$$

[Perreault, P., and S.-I. Akasofu, 1978]

[Mac-Mahon and Gonzalez, 1997]

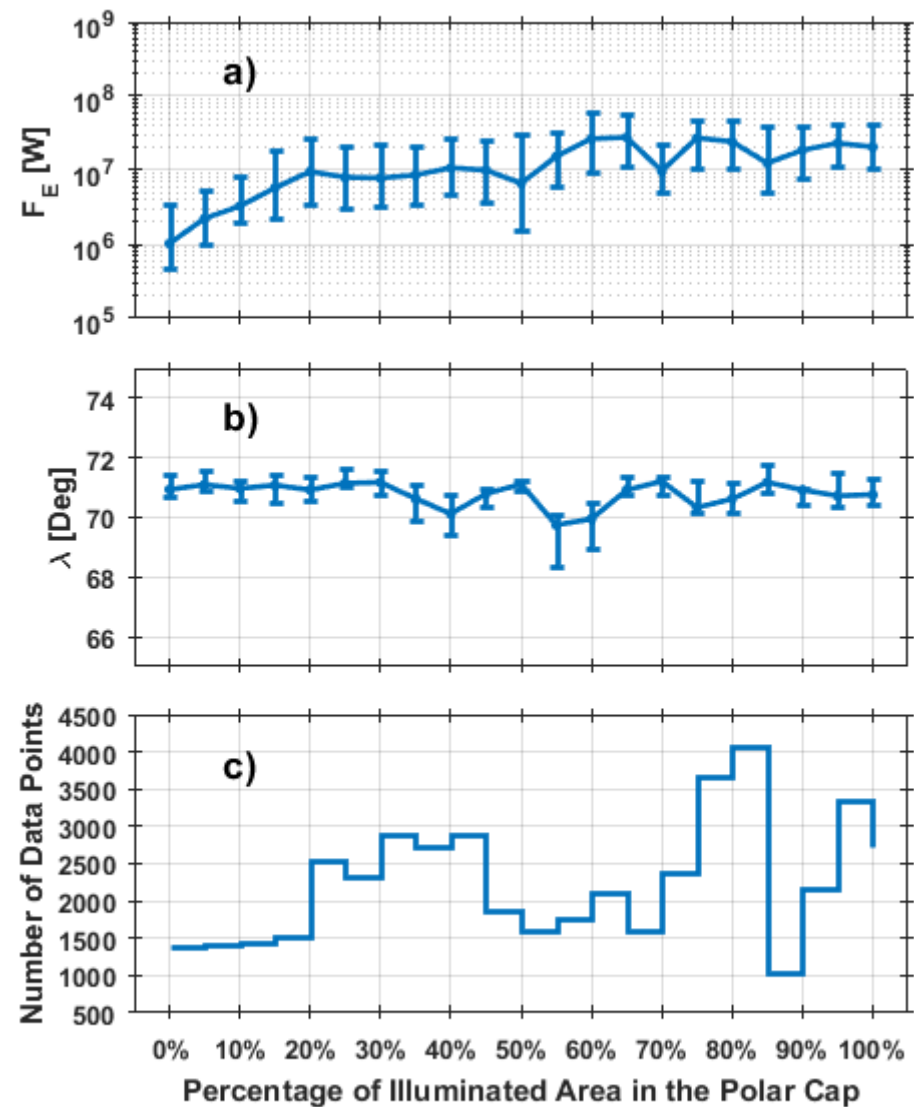
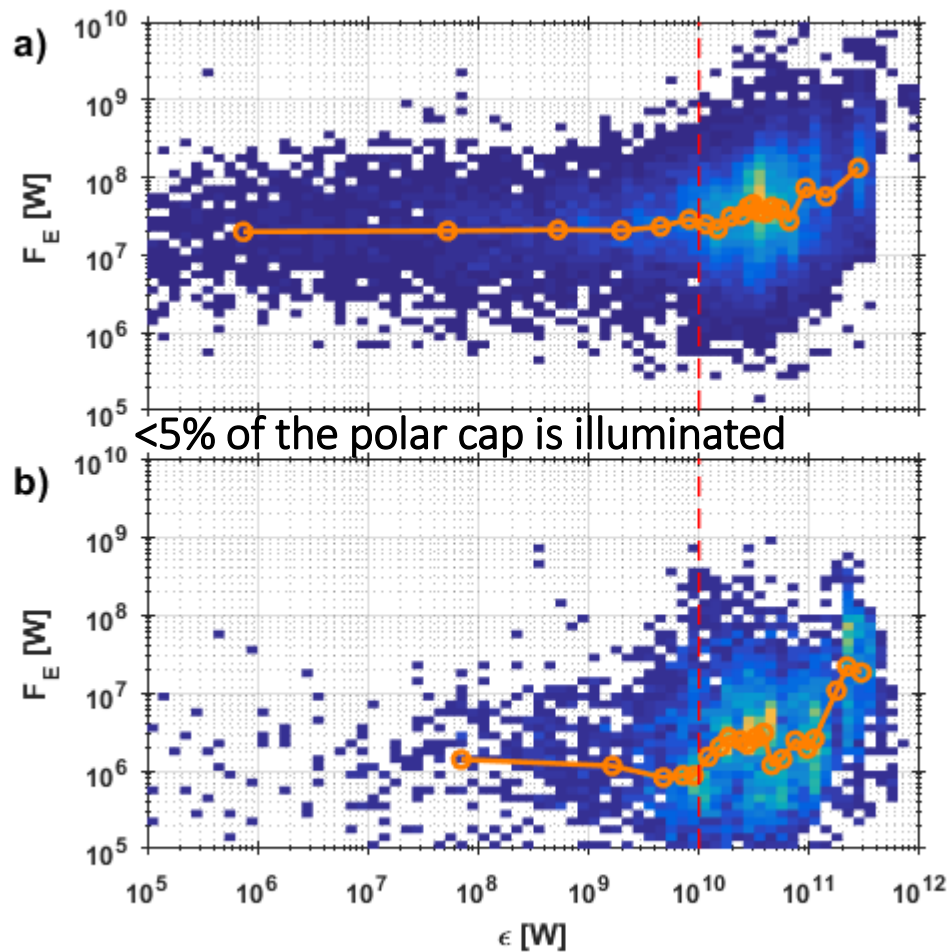
$$F_E = \sum_{\theta_S} F_{DE,mod}(\theta_S) \Delta S(\theta_S, \lambda, \mu)$$

$$= \frac{1}{2} m_p \sum_{\theta_S} n_{mod}(\theta_S) V_{||,mod}^3(\theta_S) \Delta S(\theta_S, \lambda, \mu)$$

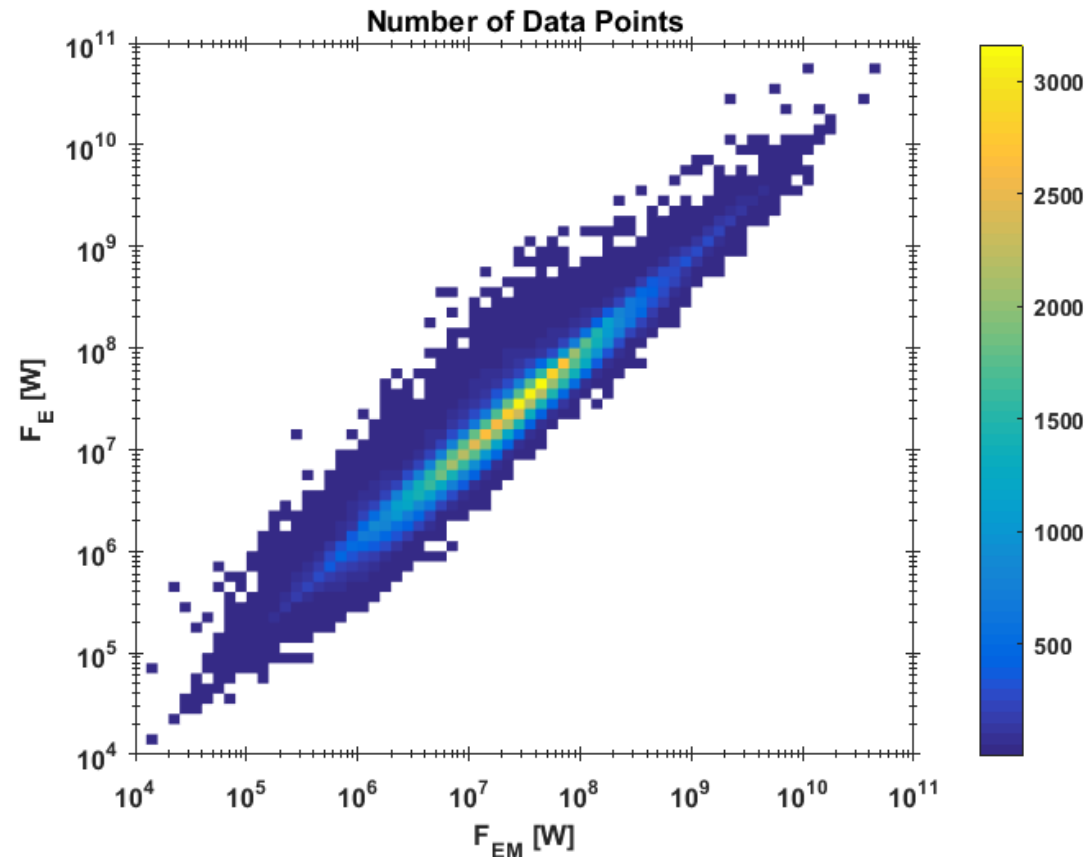
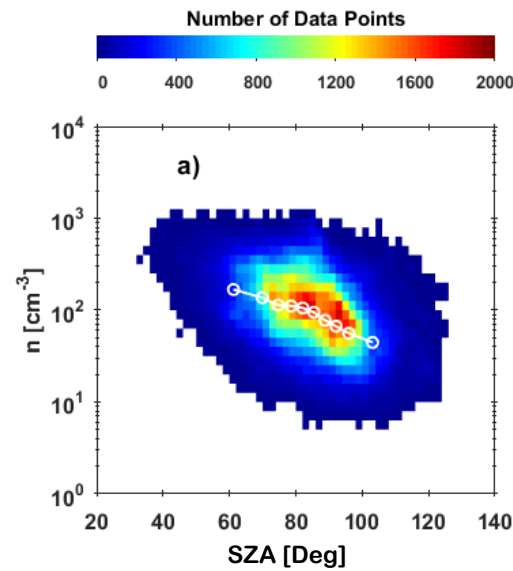
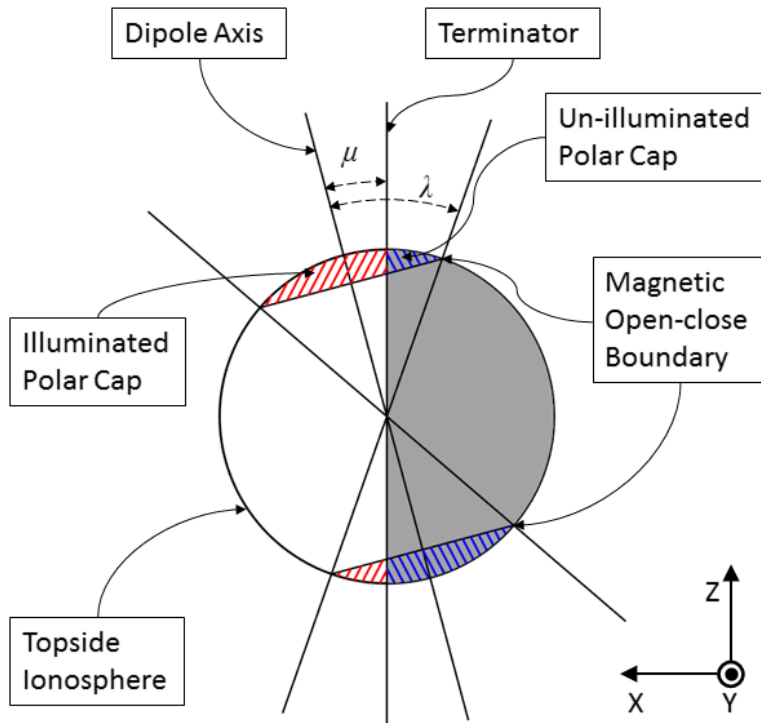


# Results

>95% of the polar cap is illuminated



## 1. Assessing the Influence of the Velocity Filter Effect

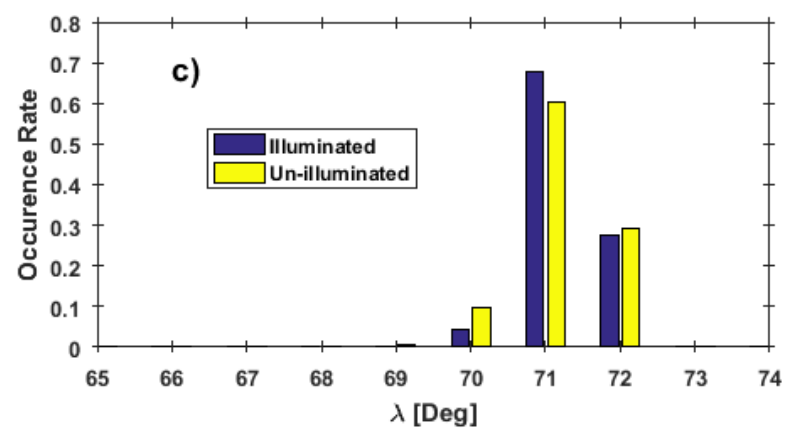
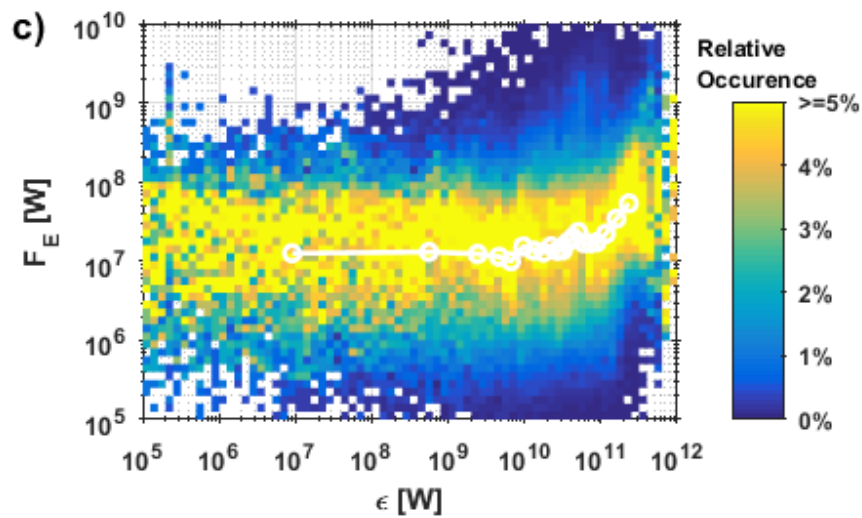
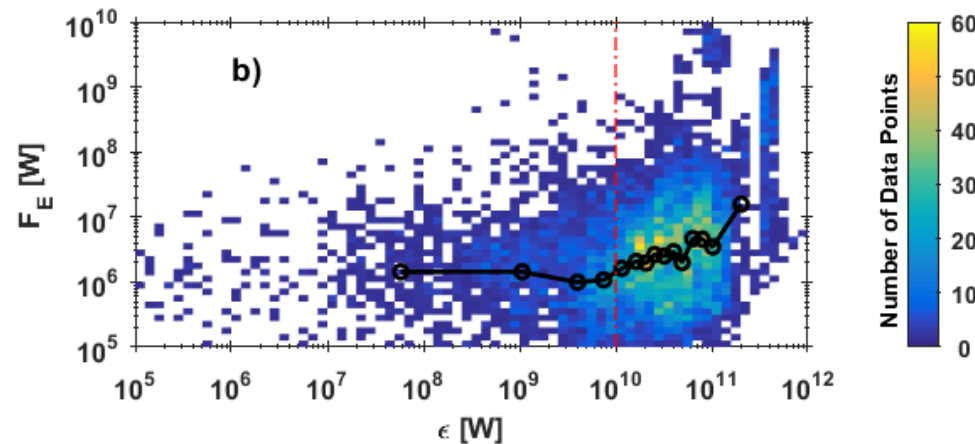
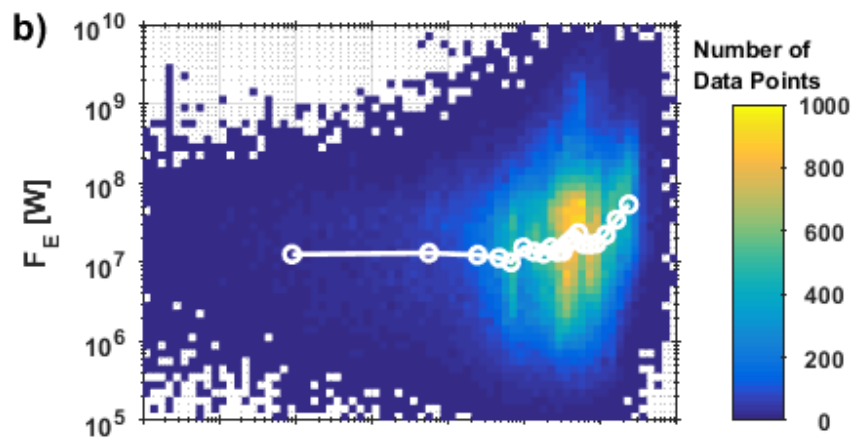
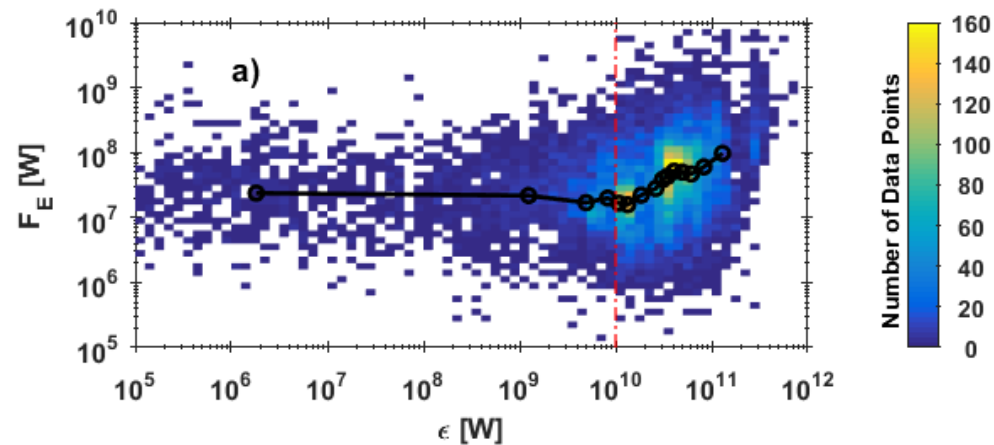
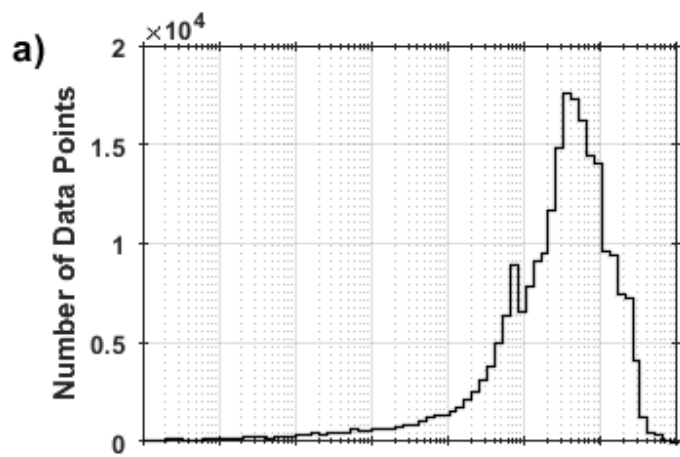


$F_E$  is modified to exclude the velocity filter effect For a given time:

1.  $n_l : n_d = 2 : 1$
2.  $V_{||}$  is assumed to be the same at all locations in the polar cap

$$F_{EM} = \frac{1}{2} m_p V_{||}^2 (n_l A_l + n_d A_d)$$

# Discussions



## 2. Energy Transfer Efficiency

➔ From Solar Illumination to the Polar Wind ( $e_I$ )

Total Energy from solar illumination ( $E_T$ )

$$E_T = TSI \times A = 2.32 \times 10^{17} W$$

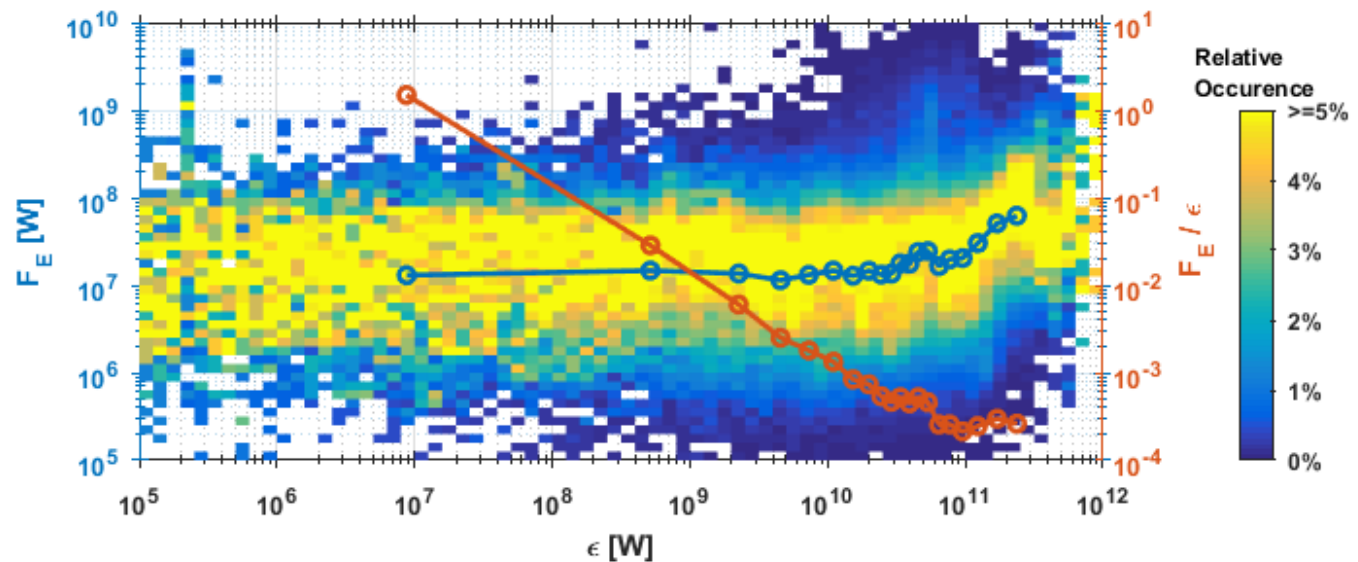
Total Solar Irradiance (TSI)= $1361 W/m^2$  [Kopp and Lean, 2010]

$$A = \pi \cdot (6371 + 1000)^2 km^2$$

$$e_I \sim 10^{-10}$$

➔ From the Solar Wind to the Polar Wind ( $e_\epsilon$ )

$$e_\epsilon \sim 10^{-4}$$



- **When the  $\varepsilon$  parameter is higher than  $10^{10}$  W, Of the order of 0.1% of the solar wind energy input is transformed to the hemispheric kinetic energy of polar wind outflow.**
- **When the  $\varepsilon$  parameter is lower than  $10^{10}$  W, the kinetic energy of polar wind outflow is significantly provided by solar illumination.**
- **The energy power provided by the solar wind ranges from  $10^7$  to  $10^8$  W. The energy power provided by solar illumination is of the order of  $10^7$  W.**

**Thank you for your attention**